SupeRVol: Super-Resolution Shape and Reflectance Estimation in Inverse Volume Rendering

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Abstract

We propose an end-to-end inverse rendering pipeline called SupeRVol that allows us to recover 3D shape and material parameters from a set of color images in a super-resolution manner. To this end, we represent both the bidirectional reflectance distribution function’s (BRDF) parameters and the signed distance function (SDF) by multi-layer perceptrons (MLPs). In order to obtain both the surface shape and its reflectance properties, we revert to a differentiable volume renderer with a physically based illumination model that allows us to decouple reflectance and lighting. This physical model takes into account the effect of the camera’s point spread function thereby enabling a reconstruction of shape and material in a super-resolution quality. Experimental validation confirms that SupeRVol achieves state of the art performance in terms of inverse rendering quality. It generates reconstructions that are sharper than the individual input images, making this method ideally suited for 3D modeling from low-resolution imagery.

1. Introduction

The reconstruction of 3D shape and appearance is among the classical challenges in computer vision. While we have witnessed significant progress on this task with suitably designed neural representations, the resulting reconstructions of shape and appearance are typically limited by the resolution of the input images where high-quality models invariably require high-resolution input images. At the same time, the concept of super-resolution modeling has been studied intensively in classical variational optimization approaches. The aim of this work is to bring both of these developments together and introduce super resolution modeling into neural differentiable volume rendering approaches in order to allow high-resolution reconstructions of 3D shape and reflectance even from low-resolution input images – see Figure 1 for high quality geometry and super-resolution image reconstruction on two real world datasets.

More specifically, we consider a setting where we capture images of an opaque non-metallic object from various viewpoints. The so called photometric images are illuminated only from a white point light source colocated with the camera. We want to separately recover geometry and different components of an isotropic BRDF. Note that due to the nature of the setup, we can only reconstruct the slice of the BRDF for which illumination direction is equal to viewing direction. However, we will see that we generalize well to novel relighting scenarios. The images are assumed to be calibrated, i.e. camera ex- and intrinsics are given, e.g. from COLMAP [45]; this is similar to [30, 68, 67].

Figure 1. Given a set of low-resolution input images (left column), SupeRVol recovers the geometry (top) and the material properties (full reconstruction at the bottom). The combination of a realistic physical camera model with inverse volumetric rendering gives rise to reconstructions that are more crisp than competing ones and even sharper than the input images.
In detail, our contributions are as follows:

- Given a set of photometric images, we put forward an end-to-end inverse rendering approach for jointly estimating high quality shape of arbitrary topology and its corresponding reflectance properties.

- Within the image formation model, we explicitly parameterize the degradation process induced by the camera’s sensor via modeling its point spread function, allowing us to estimate super-resolved shape and material properties.

- In numerous experiments, we validate that the proposed method gives rise to state-of-the-art reconstructions of shape and reflectance. In particular, the reconstructed objects are significantly more detailed and sharper than the individual input images.

2. Related Work

In the following we recall neural inverse rendering and view synthesis as well as super-resolution approaches for 3D reconstruction.

2.1. Neural Inverse Rendering and View Synthesis

Neural approaches for inverse rendering [21, 22, 31, 46, 49, 51, 50, 71] and novel view synthesis [9, 16, 24, 26, 30, 39, 42, 48, 59] have gained a lot of attention over the recent years. Their expressivity within a lightweight architecture such as a multilayer perceptron (MLP) form a great basis for these complex tasks [25, 29, 30, 41, 55, 64, 69]. However, those approaches can only recover geometry of reduced quality due to their underlying volume rendering based on the scene’s density. In contrast, surface rendering approaches [34, 63] perform better when estimating geometry, but require mask supervision and can still get stuck at unsatisfactory local minima with severe geometry artefacts. This limits their usage to relatively simple objects. To get the best out of both worlds, [37, 56, 62] express the underlying shape implicitly via occupancy fields [37] or SDFs [56, 62]. [62] even provide a sampling procedure of the volume integral to theoretically upper bound the opacity error, which is a missing desired property in [37, 56]. While [37, 56, 62] allow to reliably reconstruct accurate geometry of complex scenes without mask supervision, these approaches lack the important ability to estimate other scene properties such as reflectance.

Oftentimes it is desired to recover the object’s BRDF properties along with the geometry, as this allows for relighting the scene under novel illumination. While some works focus on relighting based on static, unknown illumination of the scene [4, 47, 70, 68], others enforce a change of illumination [3, 27, 32, 67] by resorting to photometric images. In particular, this can lead to a well-posed optimization problem of the underlying scene properties [5].

Density based volume rendering approaches such as [3, 47, 70, 4] also estimate material parameters, but they inherit the same limitations as [30]: inaccurate geometry and the fact that the object’s material parameters are not properly defined on the surface, but everywhere in the volume. This severely limits the editing capability, and a volume rendering step has to be used during inference, making it unusable in common graphics pipelines. [27, 32] are mesh-based classical inverse rendering approaches and require masks and a good initialization of the geometry, causing their convergence to be fragile, as mesh-based optimization is inherently non-differentiable at depth discontinuities and difficult to handle if topological changes or self-intersections arise. More recently, [67] proposed an inverse rendering approach which eliminates the disadvantages of mesh-based approaches to some extent due to the use of a neural SDF representation and an edge-aware surface renderer. However, the weak convergence properties of surface rendering made them resort to a two-step approach, where the first step consists of a volume rendering step [56] which is used to initialize the second step based on surface rendering.

Compared to prior works using photometric images, our approach is based solely on volume rendering using SDFs, causing reliable geometry and reflectance reconstruction without resorting to other rendering techniques such as surface rendering, thus avoiding a multi-step pipeline. Additionally, thanks to our novel problem formulation our method is still applicable for standard graphics pipelines, as a mesh and each surface point’s reflectance property can be easily recovered. Next, we discuss the state-of-the-art in super-resolution for 3D reconstruction and how we leverage that to further improve our methodology.

2.2. Super-Resolution for 3D Reconstruction

The problem of super-resolution (SR) has been extensively studied in the past [1, 33, 38, 52, 53, 58, 61, 65]. Different problem statements of SR lead to different approaches, e.g. the case of single image SR [10, 17, 36], video SR [6, 7, 18], or depth SR [43, 14, 44, 54, 60]. Given that we are interested in a 3D reconstruction of the scene from a set of photometric images, we do not perform SR in 2D image space, but in 3D scene space [11, 28, 55]. [55] are able to synthesize images of higher resolution than the individual input images by resorting to supersampling, i.e. a low-resolution pixel is sampled at each super-resolution pixel’s center, allowing for a denser sampled radiance field. [11, 28] are classical approaches optimizing SR geometry and textures. While [28] integrate low-resolution depth and color from and RGB-D sensor into SR keyframes and fuse these keyframes into a texture map, [11] describe their SR process using a convolution with a Gaussian kernel. This is
a well motivated image formation model of a camera sensor element and straightforward to carry out as they work in a discrete pixel grid. However, this is not easily applicable in a continuous case, i.e. when using neural networks to implicitly express shape and reflectance. While [11, 28, 55] share the benefit of increasing the input resolution of the individual input images to result in a sharper, high detailed output, they all lack the possibility of representing the scene’s intrinsic properties, i.e. shape and material. Either the full scene is represented in a neural network [55] or the estimated textures consist of lighting cues baked in to the reflectance properties, making faithful relighting impossible [11, 28].

Contrary to the existing SR works mentioned here, we mathematically formulate the camera’s image formation process in the continuous case leading to a principled sampling heuristic applicable for neural approaches which allows us to invert the camera’s image formation model resulting in reconstructions beyond the input in terms of resolution and quality. Additionally, our model can recover super-resolved geometry and BRDF parameters, free from baked in lighting cues, allowing faithful photorealistic reconstructions with full control over the scene’s properties.

3. Preliminaries: VolSDF

VolSDF [62] leverages volume rendering similarly to NeRF [30], however aims at overcoming certain limitations of NeRF by decoupling geometric representation and appearance. To this end, VolSDF models the scene geometry within a volume Ω ⊂ ℝ³ by means of a density σ : Ω → ℝ≥0, which is related to its signed distance function (SDF) d : Ω → ℝ by the transformation

\[ σ(\mathbf{x}) = αΨ_β(-d(\mathbf{x})). \]  

(1)

Here, Ψ_β is the Cumulative Distribution Function of the Laplace distribution with zero mean and scale β, and both α, β > 0 are learnable parameters. Given this parameterization of the density in terms of the underlying SDF, we can set up the volume rendering equation to obtain radiance L_p, at a pixel p ∈ ℝ² within the image of a camera located at c ∈ ℝ³. Let v ∈ S² be the viewing direction from c through p, then

\[ L_p = \int_0^∞ w(t)L(\mathbf{x}(t), \mathbf{n}(t), \mathbf{v}) \, dt, \]  

(2)

where we integrate along the ray x(t) = c + tv, t ∈ ℝ.

The weights w(t) form a probability distribution along the ray [62], and are given by

\[ w(t) = σ(\mathbf{x}(t)) \exp \left( -\int_0^t σ(\mathbf{x}(s)) \, ds \right). \]  

(3)

Finally, L : Ω × S² × S² → ℝ³ is the radiance field, which depends on location, normal and viewing direction.

Since positive values of the SDF, d inside the surface are assumed, the normal vector is obtained as n = ∇d/∥∇d∥.

In practice, the integral (2) is being approximated using the well-known quadrature rule at a discrete set of samples t_1 < t_2 < ⋯ < t_m for each pixel,

\[ L_p ≈ \sum_{i=1}^{m-1} (t_{i+1} - t_i)w(t_i)L(\mathbf{x}(t_i), \mathbf{n}(t_i), \mathbf{v}). \]  

(4)

Note, that the integral in (3) to compute w(t_i) is accumulated in a similar way while iteratively computing the sum (4). VolSDF represents the scene using two separate MLPs, one is used to describe the SDF, d, and a global geometry feature map z_φ : Ω → ℝ^{256}, while a second MLP is used to describe the radiance L_ψ, both with their corresponding learnable network parameters φ, ψ. Additionally to its stable convergence compared to surface rendering approaches [34, 63], cp. Figure 2, VolSDF satisfies a theoretical guarantee to upper bound the opacity error compared to similar approaches [37, 56]. Specifically, after convergence the rendered image showing the geometry of the SDF using a volume renderer is almost indistinguishable from the same rendered image based on a surface renderer using e.g. a sphere tracing algorithm [15]. This observation was shown in [37] and has the consequence that the object can be rendered using standard surface renderer frameworks [23, 35, 66]. Additionally, the appearance is then defined on the object’s surface, despite being learned as a volumetric quantity. Nevertheless, VolSDF is unable to recover the reflectance properties, since both the material and lighting are baked into the radiance network. Hence, the re-

![Figure 2. Geometric reconstruction using our approach based on two different rendering strategies. Surface based rendering [63] gets easily stuck in bad local minima with less detail (hair on neck) and undesirable artifacts (cheek). Our approach based on volume rendering [62] does not suffer from these issues, resulting in highly detailed reconstructions.](image-url)
constructed 3D model can only be rendered with the same material under the same static illumination. In the next section, we show how we extend VolSDF to enable joint estimation of shape and material, which allows material editing and view synthesis under novel lighting conditions using a traditional graphics pipeline for surface rendering.

4. Method

We will first show how to decouple appearance into reflectance and lighting, which allows to estimate a high-quality material in addition to the shape. Following this, we will extend this into a novel framework for super-resolved shape and BRDF estimation to allow rendering of novel views with more detail than the individual input images.

4.1. Radiance field with explicit BRDF model

We express the radiance field \( L(x, n, v) \) in (2) in terms of the BRDF and lighting using the rendering equation [19],

\[
L(x, n, v) = \int_{H_n} L_i(x, \omega) f_t(x, n, v, \omega)(\omega \cdot n) \, d\omega,
\]

where \( H_n \subset S^2 \) is the half-sphere in direction \( n \), \( L_i(x, \omega) \) denotes the radiance incoming at \( x \) from direction \( \omega \), and \( f_t \) the spatially varying BRDF (SVBRDF). Since we assume an achromatic point light source colocated with the camera center \( c \), (5) simplifies to

\[
L(x, n, v) = \frac{L_0}{\|x - c\|^2} f_t(x, n, v, v)(v \cdot n),
\]

where \( L_0 \) corresponds to the scalar light intensity. We use a simplified Disney BRDF [20], as this provides a compact model expressive enough to represent a wide variety of materials, which was successfully used in several prior works [27, 68]. Here, the SVBRDF is parametrized with a diffuse RGB albedo \( \rho : \Omega \rightarrow \mathbb{R}^3_+ \), a roughness \( \alpha_r : \Omega \rightarrow \mathbb{R}_+ \) and a specular albedo \( \alpha_s : \Omega \rightarrow [0, 1] \).

We implement these three components using two MLPs. The first MLP \( \rho(x; \gamma_1) \) is used to compute the diffuse component of the BRDF at a point \( x \), the second MLP \( \alpha(x; \gamma_2) = (\alpha_s(x; \gamma_2), \alpha_t(x; \gamma_2)) \) computes the respective specular components. The combined network parameters for BRDF are denoted with \( \gamma = (\gamma_1, \gamma_2) \). As mentioned earlier, we model the geometry using a third MLP \( d(x; \theta) \) for the SDF with its own network parameters \( \theta \). Note that we do not incorporate a global geometric feature map into our framework. The main motivation behind such a map is for the radiance field \( L \) to account for indirect lighting and self-shadows. We follow the spirit of multiple works [3, 13, 27, 32, 67] showing that satisfactory results can be achieved without modeling indirect lighting explicitly. Furthermore, we can successfully treat these effects as outliers thanks to the robust \( L^1 \)-norm in (10). On the other hand, self-shadows are not present in our captures anyway, due to our colocated camera-light setup.

In order to perform inverse rendering, we train our neural networks from the available input images. For comparing the images to the rendered image in the loss function, we model the physical camera capturing process in the next section and show how this leads to a super-resolved reconstruction of the scene.

4.2. Super-resolution image formation model

As common in many volume rendering based approaches [30, 62, 56], it is assumed that the image brightness at a given pixel corresponds exactly to the accumulated radiance of the volume rendering (2),

\[
I_p = L_p(\theta, \gamma).
\]

As described in [55], even if a framework can render novel views at any resolution during inference, the performance will significantly decrease when the inference resolution becomes larger than the one of the input images. Indeed, during training, the networks are sampled exactly at the pixel locations of the training images, which means that there is no training data for points of the surface whose projections do not coincide with these locations. Thanks to the interpolation property of neural networks, we can usually still compute a reasonable value for the points which were not seen during training, in particular since they are typically in between points which have been trained. However, the sampling rate of the input images band-limits the components of the reconstructed SDF and BRDF, and higher frequency details are not magically generated if one only renders at higher resolution.

In order to restore higher frequency content, we can exploit that the camera capturing process does not only sample the exact centers of the pixels. Instead, a camera performs an integration over a subset of incoming rays which can be modeled by the so-called point spread function (PSF). In essence, it describes blur during the capturing process, for example caused by integration across a sensor element, diffraction, lens aberrations, or objects being not perfectly in focus [8]. This intrinsic blur can actually be beneficial to avoid aliasing on the captured low resolution images, as it reduces high-frequency content in the captured scene, but leads to unavoidable loss of detail.

Taking this physical process into account, we follow [2, 11] and consider the effect of the PSF in our image formation model. Thus, generalizing (7), we convolve the accumulated radiance with the PSF kernel in order to obtain image irradiance,

\[
I_p = (\mathcal{L}(\theta, \gamma) * \text{PSF})(p) = \int_{\mathbb{R}^2} \mathcal{L}_{p-q}(\theta, \gamma) \, \text{PSF}(q) \, dq.
\]
For the special case that the PSF is a Dirac delta distribution, one arrives at the original model (7), so this is indeed a generalization. In practice, we assume that the PSF is a Gaussian distribution, as [40] have shown the validity of such an approximation, and [11] successfully used it to achieve texture super-resolution. In our experiments, we choose half the size of a pixel in the low-resolution input images as the standard deviation. For computational efficiency, we approximate the convolution shown in (8) by Monte Carlo integration

$$I_p \approx \frac{1}{N_s} \sum_{k=1}^{N_s} \mathcal{L}_{p-k} \ast q_k(\theta, \gamma),$$

(9)

where $q_k$ are samples drawn from the proposed PSF. See Figure 3 for a comparison of the sampling process based on a Dirac kernel and a Gaussian kernel.

### 4.3. Final training objective

Our final objective consists of three terms. The first term $E_{RGB}$ is the data term, ensuring that the rendered images fit the input images,

$$E_{RGB}(\theta, \gamma) = \sum_p \| I_p - (\mathcal{L}(\theta, \gamma) \ast \text{PSF})(p) \|_1. $$

(10)

Note that we use an $L^1$-norm to improve robustness against outliers. The second term is the Eikonal term $E_{eik}$, which encourages $d(x; \theta)$ to approximate an SDF, this is similar as in [12],

$$E_{eik}(\theta) = \sum_x (\| \nabla_x d(x; \theta) \| - 1)^2 .$$

(11)

Finally, we largely follow [56] and introduce an optional mask loss $E_{mask}(\theta)$, allowing to impose silhouette consistency,

$$E_{mask}(\theta) = \sum_p \text{BCE}(M_p, W_p(\theta)),$$

(12)

where $M_p$ is the given binary mask value at the pixel $p$, $W_p(\theta) = \sum_{i=1}^{m-1} w(t_i; \theta)$ is the sum of the weights at the sampling locations $t_i$ used in (4), and BCE is the binary cross entropy loss [56]. We would like to emphasize that the only aim of the mask loss is to reduce computation time as it allows us to use more samples per pixel inside the mask, and one single sample per pixel outside. Additionally, if the mask loss is used, we also truncate the volume rendering integral (2) to the unit sphere, as the background is already modeled by the mask loss, further reducing the computational requirements. If the mask loss is not used, we use an inverse sphere parameterization for the background [69]. Both use cases are directly inspired from [56].

The final loss becomes the sum of the three terms with additional weighting parameters $\lambda_1, \lambda_2 \geq 0$,

$$E(\theta, \gamma) = E_{RGB}(\theta, \gamma) + \lambda_1 E_{eik}(\theta) + \lambda_2 E_{mask}(\theta). $$

(13)

This loss function can in principle be used to estimate a super-resolved geometry and BRDF with one single training pass. However, since the full super-resolution model is computationally expensive, we first run an initialization pass with a Dirac kernel for the PSF and without the mask loss. Indeed, in Section 5 we show that this super-resolution free approach already retrieves state-of-the-art results even without mask supervision. After that, we have accurate silhouettes from projecting the estimated geometry into the input images, and can significantly decrease computation time by optimizing sampling as described above. Furthermore, convergence of the full super-resolution model is accelerated since we already start from a reasonable initialization of the scene.

### 5. Results

We evaluate our framework SupeRVol on both synthetic and real world data. To this end, we create a synthetic dataset which consists of a combination of two geometries and two materials, designated in the following as dog1, dog2, girl1 and girl2. Each of them is rendered from 60 different viewpoints for training. 30 other viewpoints are rendered for testing, including non-colocated illumination to evaluate our approach’s generalization capability. Our real world dataset consist of four scans: bird and squirrel, which we captured ourselves, and pony and dragon from [3]. From these, we consider between 30 and 60 images for training and around 30 images for testing.
Evaluation. We consider an ablation study that we name "noSR", which consists of our framework SupeRVol, but with a Dirac kernel instead of a Gaussian kernel, and we evaluate both noSR and SupeRVol together with IRON [67]. IRON has demonstrated state-of-the-art performance for inverse rendering with photometric images, significantly outperforming prior work [3, 27] for which no open-source code is available online. Further, we consider two complementary scenarios. In high resolution training, we use the original (high resolution) images of the scans for both training and testing. In low resolution training, we down-sample the resolution of the training images of the scans by a factor of four to mimic the effect of a low-resolution image capture, and then test on the high resolution test images.

The first scenario is typically considered in inverse rendering works, and allows to assess the quality of our differentiable volume renderer with an explicit BRDF model. Since both, training and testing resolutions are the same in this case, we only compare noSR against IRON. For the second scenario, we include SupeRVol in the comparison, allowing to measure the impact of modeling the PSF.

High resolution training. As can be seen in Table 1 (a), noSR is quantitatively superior to IRON [67] in both cases, i.e. geometric quality and image synthesis. Qualitatively, geometric estimates are shown in Figure 4. It can be seen that noSR yields more detailed shape reconstruction in convex parts of the objects, e.g. the beak, eyes, and wings of bird or the hair, and tail of pony. Additionally, thanks to the volume rendering based approach, it is also more reliable in highly concave parts, e.g. the tail of bird or the wings of pony. IRON [67], as a surface rendering based approach, fails to accurately recover these geometric details and gets stuck in local optima. This further exhibits the advantage of using volume rendering instead of surface rendering for a better convergence [62, 56], see Figure 2. Image synthesis quality is visualized in Figure 5, where noSR demonstrates more crisp results compared to the blurred reconstructions of IRON [67]. Our evaluation reveals a better inverse rendering performance when using our noSR approach even without properly modeling the PSF.

<table>
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<tr>
<th></th>
<th>PSNR [67]</th>
<th>PSNR noSR</th>
<th>SSIM [57]</th>
<th>SSIM noSR</th>
<th>MAE [67]</th>
<th>MAE noSR</th>
<th>SupeRVol</th>
<th>SupeRVol noSR</th>
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Table 1. Average PSNR, SSIM [57] and MAE across the datasets using high and the more challenging low resolution input for training, respectively. In both training scenarios, SupeRVol and its simplified counterpart noSR (with a Dirac kernel) outperform IRON [67] quantitatively. Geometric reconstruction and image synthesis quality is in favor of our approach for the tested novel and unseen viewpoints. Additionally, our method can generalize well to a non-colocated lighting setup. Note, SupeRVol and noSR trained on low resolution images can perform better than IRON [67] trained on high resolution input.

Low resolution training. Table 1 (b) demonstrates quantitatively the effectiveness of correctly modeling the PSF, where we can see that our framework SupeRVol outperforms both IRON [67] and noSR in terms of geometric quality, as well as novel view synthesis under both colocated and non-colocated lighting. Regarding novel view synthesis, Figure 8 shows that SupeRVol can recover some crisp details that are barely visible in the individual low resolution images and not properly reconstructed by the competitors. When it comes to geometric accuracy, as shown in Figure 9, the refinement induced from modeling the PSF is not limited to an increased quality of image synthesis, but also has a positive impact on the geometry. SupeRVol recovers geometric information, which is difficult to see in the low resolution visualization, and at most partially recovered or smoothed by the other approaches, IRON [67] and noSR.
Figure 5. Image synthesis results of novel viewpoints with a colocated light source after high resolution training. Our simplified approach noSR results in a significantly sharper reconstruction, accurately reproducing fine scale details that IRON\[67\] fails to recover. Notice the loss of detail in the hair of girl2. The dragon’s scales are partially lost. The squirrel seems to be overall blurry. noSR reconstructs sharper images across all datasets.

Figure 6. Generalization to novel non-colocated lighting. Compared to IRON\[67\], SupeRVol yields more accurate specularities. This demonstrates a better generalization for unseen views and illumination environments.

6. Conclusion

We propose to enhance suitable neural representations of shape and material parameters with a physical model of the camera that includes the blurring and down-sampling due to the point spread function (PSF). This leads to a neural approach for recovering shape and material properties at a resolution that is superior to that of baseline methods and even superior to that of the input images. We carefully motivate the choice of representation including the use of volume rendering over surface rendering and propose a generalization of standard approaches via explicitly modeling the PSF. In qualitative and quantitative studies we demonstrate that the proposed approach outperforms the state-of-the-art and offers a method for high resolution 3D modeling of shape and appearance even from low-resolution input imagery.
Figure 8. Image synthesis results of novel viewpoints with a colocated light source after low resolution training. The rendering obtained with our complete SupeRVol model is much sharper, with unprecedented details that are lost in the remaining approaches.

Figure 9. Estimated geometry after low resolution training. HR and LR denote high and low resolution visualizations of the ground truth geometry, respectively. Our framework allows to obtain significantly more detailed reconstructions than IRON[67] even when trained on low resolution images (noSR). The results are further improved in the super-resolution reconstruction (SupeRVol), which contains some details which are barely visible in the low resolution visualization (LR).
References


