

Visual Navigation for Flying Robots

Exploration, Multi-Robot Coordination and Coverage

Dr. Jürgen Sturm

Agenda for Today

- Exploration with a single robot
- Coordinated exploration with a team of robots
- Coverage planning
- Benchmarking

Mission Planning

- **Goal:** Generate and execute a plan to accomplish a certain (navigation) task
- Example tasks
 - Exploration
 - Coverage
 - Surveillance
 - Tracking
 - ...

Task Planning

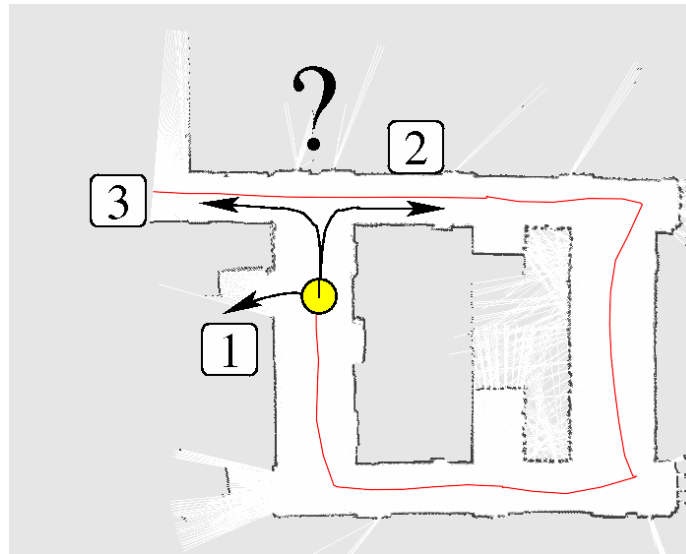
- **Goal:** Generate and execute a high level plan to accomplish a certain task
- Often symbolic reasoning (or hard-coded)
 - Propositional or first-order logic
 - Automated reasoning systems
 - Common programming languages: Prolog, LISP
- Multi-agent systems, communication
- Artificial Intelligence

Exploration and SLAM

- **SLAM is typically passive**, because it consumes incoming sensor data
- **Exploration actively guides the robot** to cover the environment with its sensors
- Exploration in combination with SLAM:
Acting under pose and map uncertainty
- Uncertainty should/needs to be taken into account when selecting an action

Exploration

- By reasoning about control, the mapping process can be made much more effective
- Question: **Where to move next?**



- This is also called the **next-best-view problem**

Exploration

- Choose the action that maximizes utility

$$a^* = \arg \max_{a \in A} U(m, a)$$

- **Question:** How can we define utility?

Example

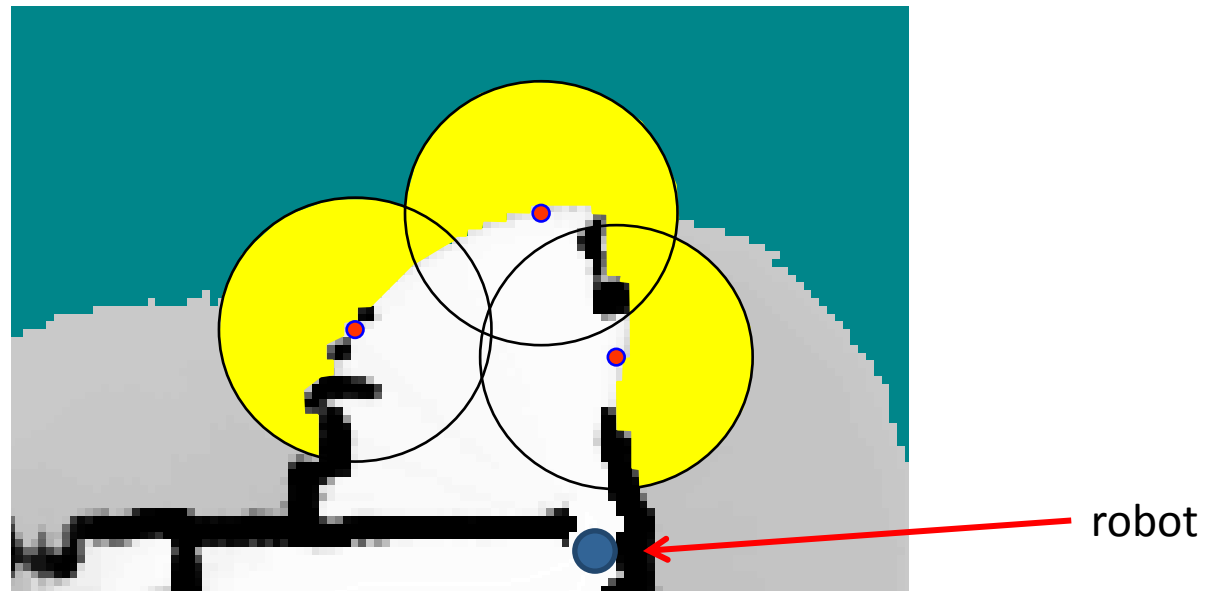
- Where should the robot go next?



Maximizing the Information Gain

- Pick the action a that maximizes the **information gain** given a map m

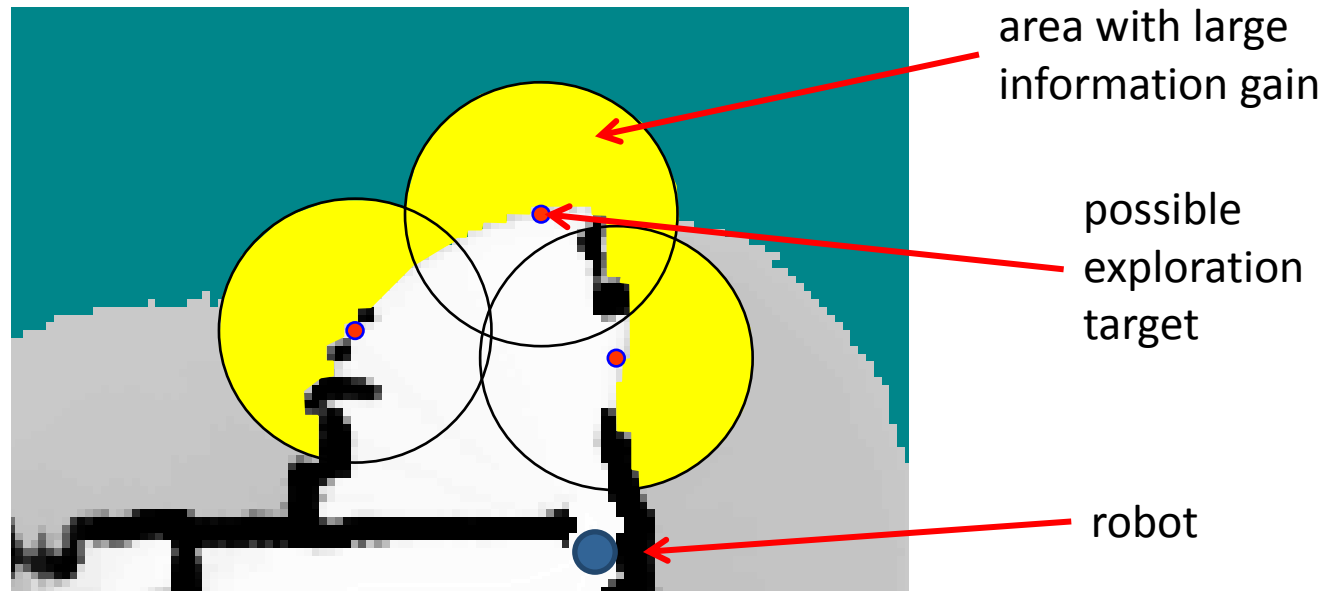
$$a^* = \arg \max_{a \in A} IG(m, a)$$



Maximizing the Information Gain

- Pick the action a that maximizes the **information gain** given a map m

$$a^* = \arg \max_{a \in A} IG(m, a)$$



Information Theory

- **Entropy** is a general measure for the uncertainty of a probability distribution
- Entropy = Expected amount of information needed to encode an outcome $X = x$

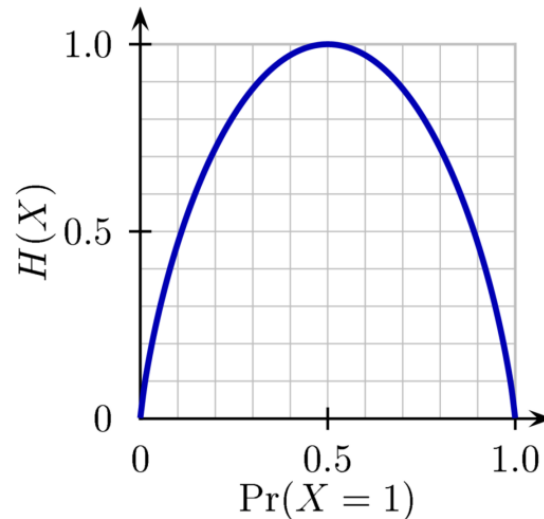
$$\begin{aligned} H(X) &= E(I(X)) \\ &= E(-\log p(X)) \\ &= -\sum_{i=1}^n p(x_i) \log p(x_i) \end{aligned}$$

Example: Binary Random Variable

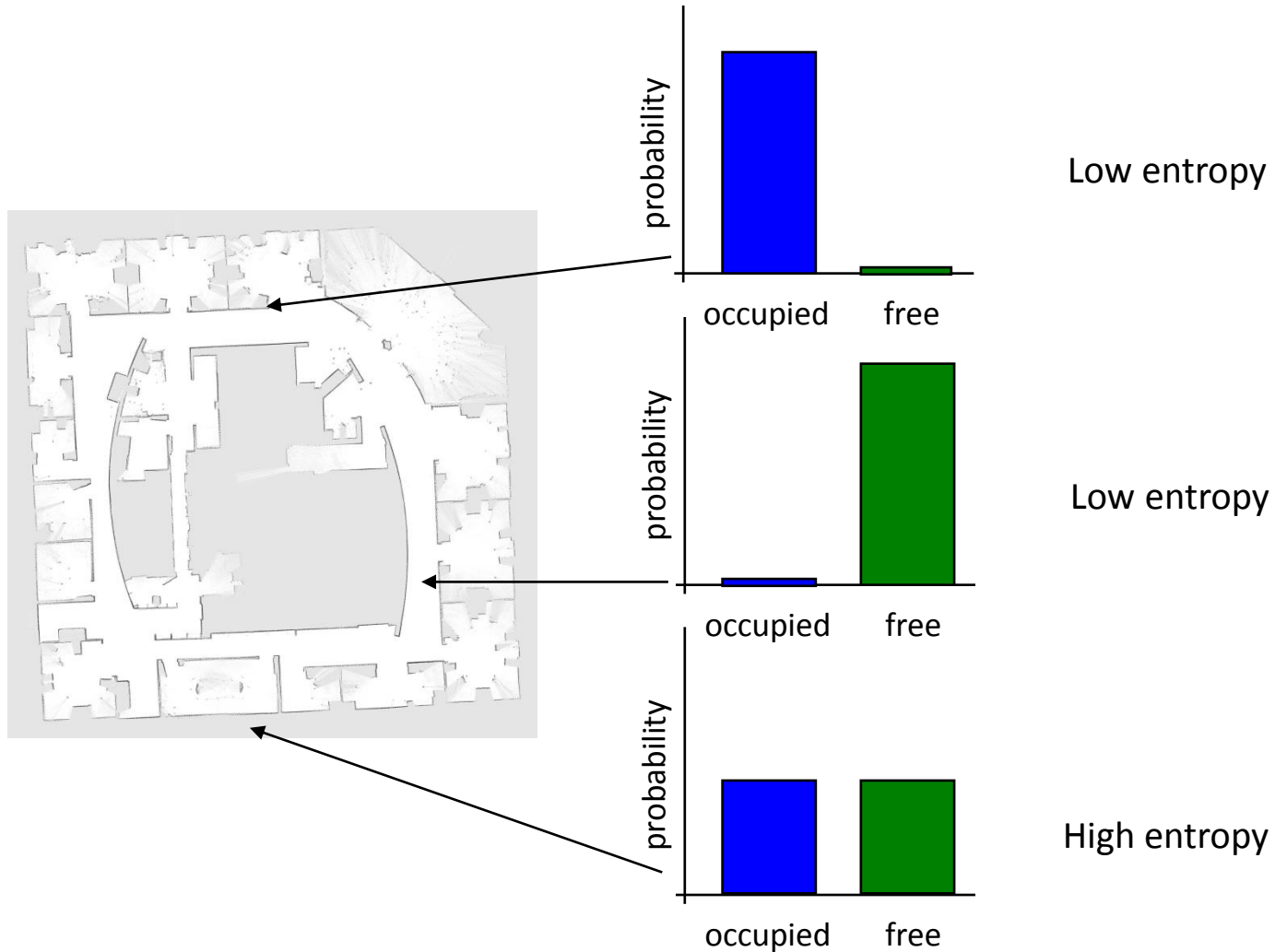
- Binary random variable $X \in \{0, 1\}$
- Probability distribution $P(X = 1) = p$
- How many bits do we need to transmit one sample of $p(X)$?
 - For $p=0$?
 - For $p=0.5$?
 - For $p=1$?

Example: Binary Random Variable

- Binary random variable $X \in \{0, 1\}$
- Probability distribution $P(X = 1) = p$
- How many bits do we need to transmit one sample of $p(X)$?
- Answer:



Example: Map Entropy

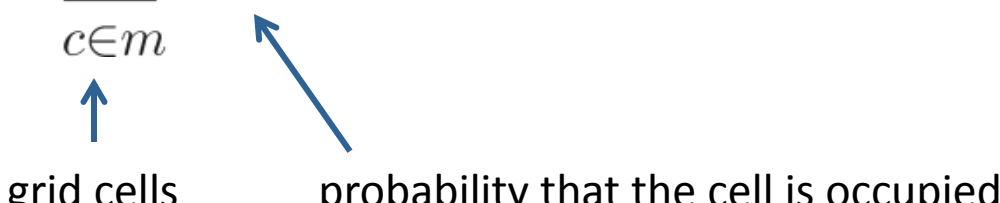


The overall entropy is the sum of the individual entropy values

Information Theory

- **Entropy of a grid map**

$$H(p(x_t)) = - \sum_{c \in m} p(c) \log p(c) + (1 - p(c)) \log(1 - p(c))$$


grid cells probability that the cell is occupied

- **Information gain** = reduction in entropy

$$IG(t + 1 | t) = H(p(x_t)) - H(p(x_{t+1}))$$

Maximizing the Information Gain

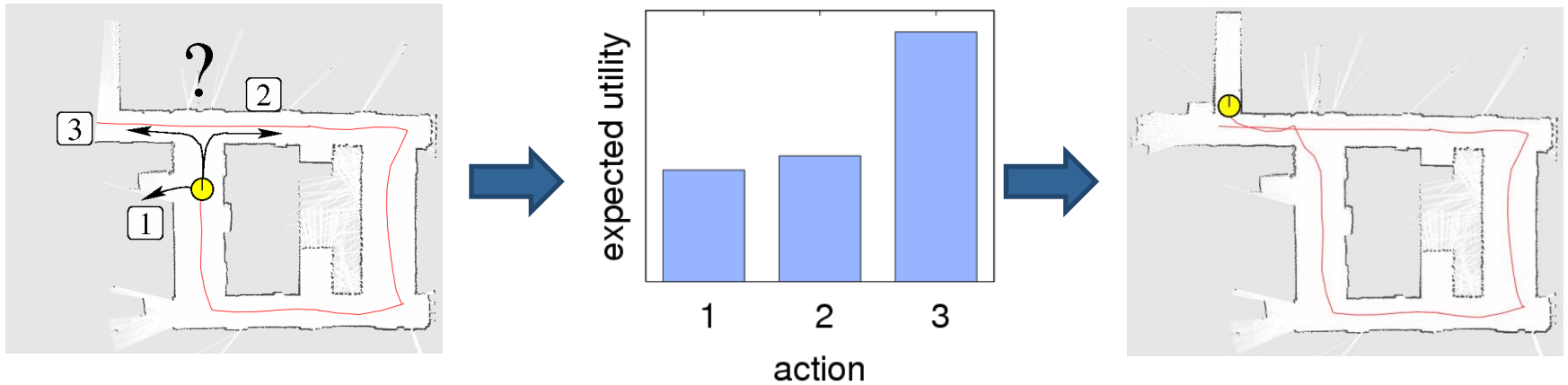
- To compute the information gain one needs to know the observations obtained when carrying out an action

$$a^* = \arg \max_{a \in A} IG(m, a)$$

- This quantity is not known! Reason about potential measurements

$$a^* = \arg \max_{a \in A} \int IG(m, z) p(z | a) dz$$

Example



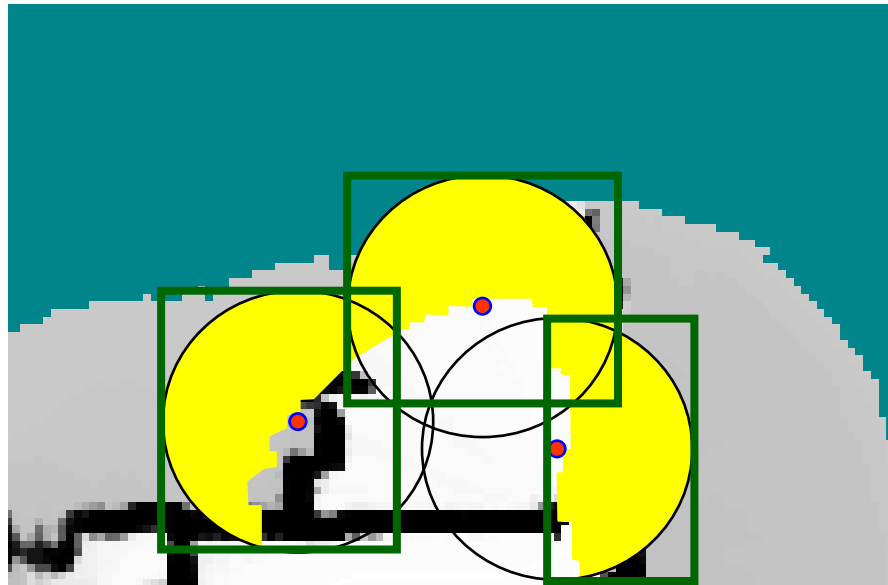
Exploration Costs

- So far, we did not consider the cost of executing an action (e.g., time, energy, ...)
- **Utility = uncertainty reduction – cost**
- Select the action with the highest expected utility

$$a^* = \arg \max_{a \in A} IG(m, a) - \alpha \cdot E(cost(m, a))$$

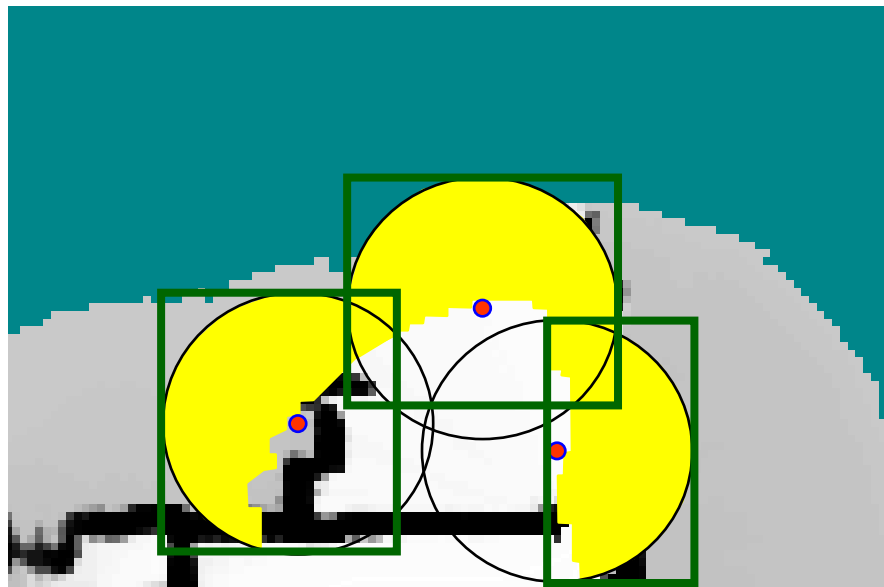
Exploration

- For each location $\langle x, y \rangle$
 - Estimate the number of cells robot can sense (e.g., simulate laser beams using current map)
 - Estimate the cost of getting there



Exploration

- **Greedy strategy:** Select the candidate location with the highest utility, then repeat...



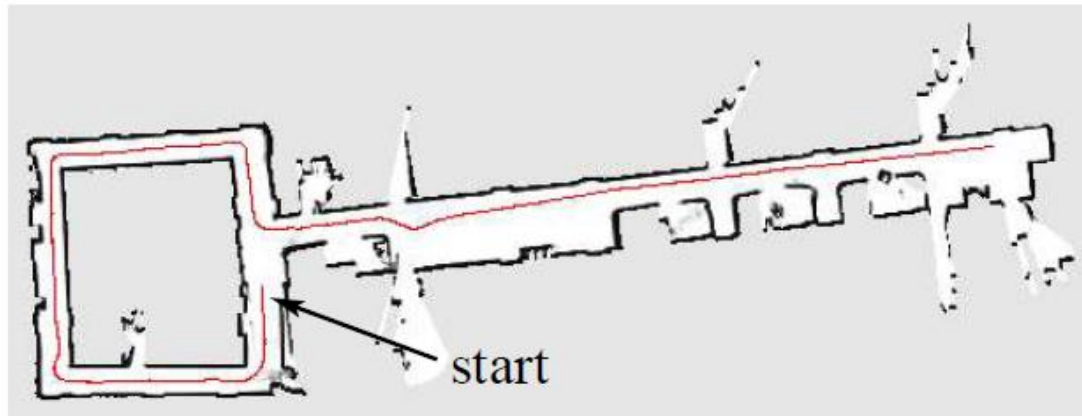
Exploration Actions

- So far, we only considered reduction in map uncertainty
- In general, there are many sources of uncertainty that can be reduced by exploration
 - Map uncertainty (visit unexplored areas)
 - Trajectory uncertainty (loop closing)
 - Localization uncertainty (active re-localization by re-visiting known locations)

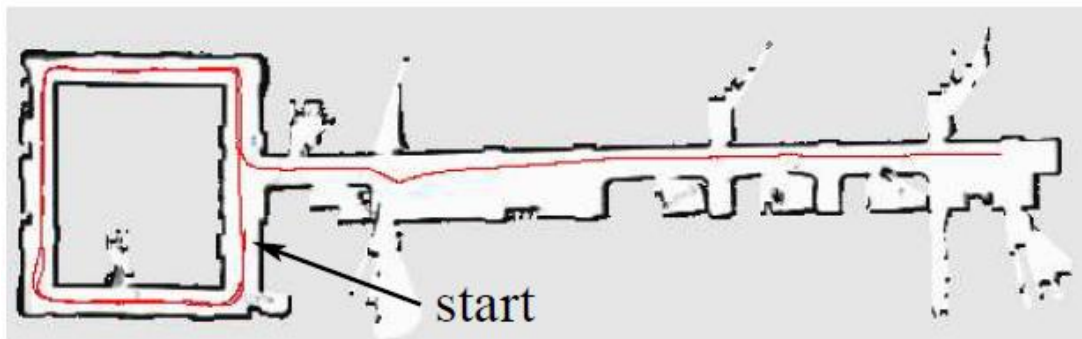
Example: Active Loop Closing

[Stachniss et al., 2005]

- Reduce map uncertainty



- Reduce map + path uncertainty



Example: Active Loop Closing

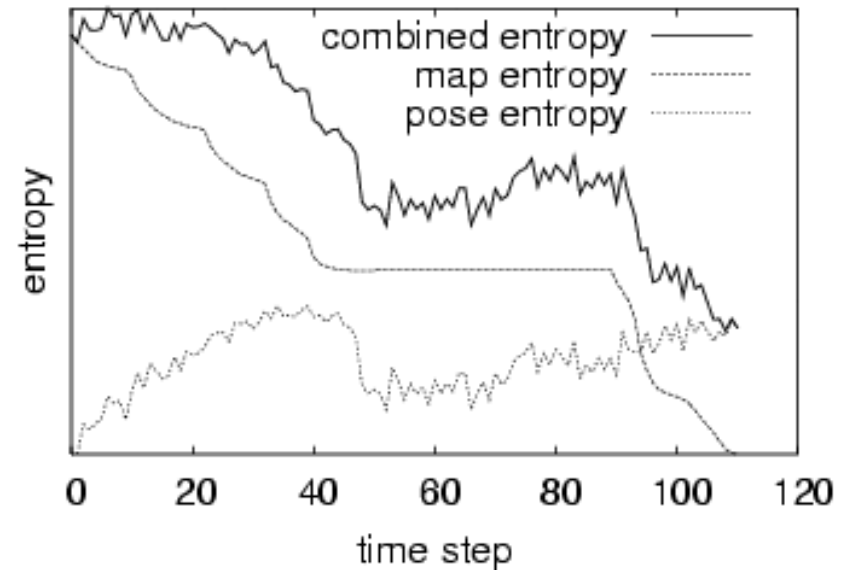
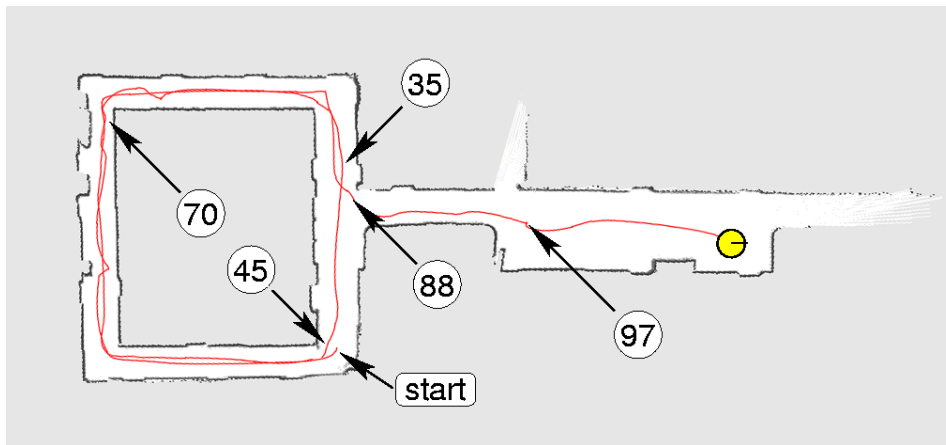
[Stachniss et al., 2005]



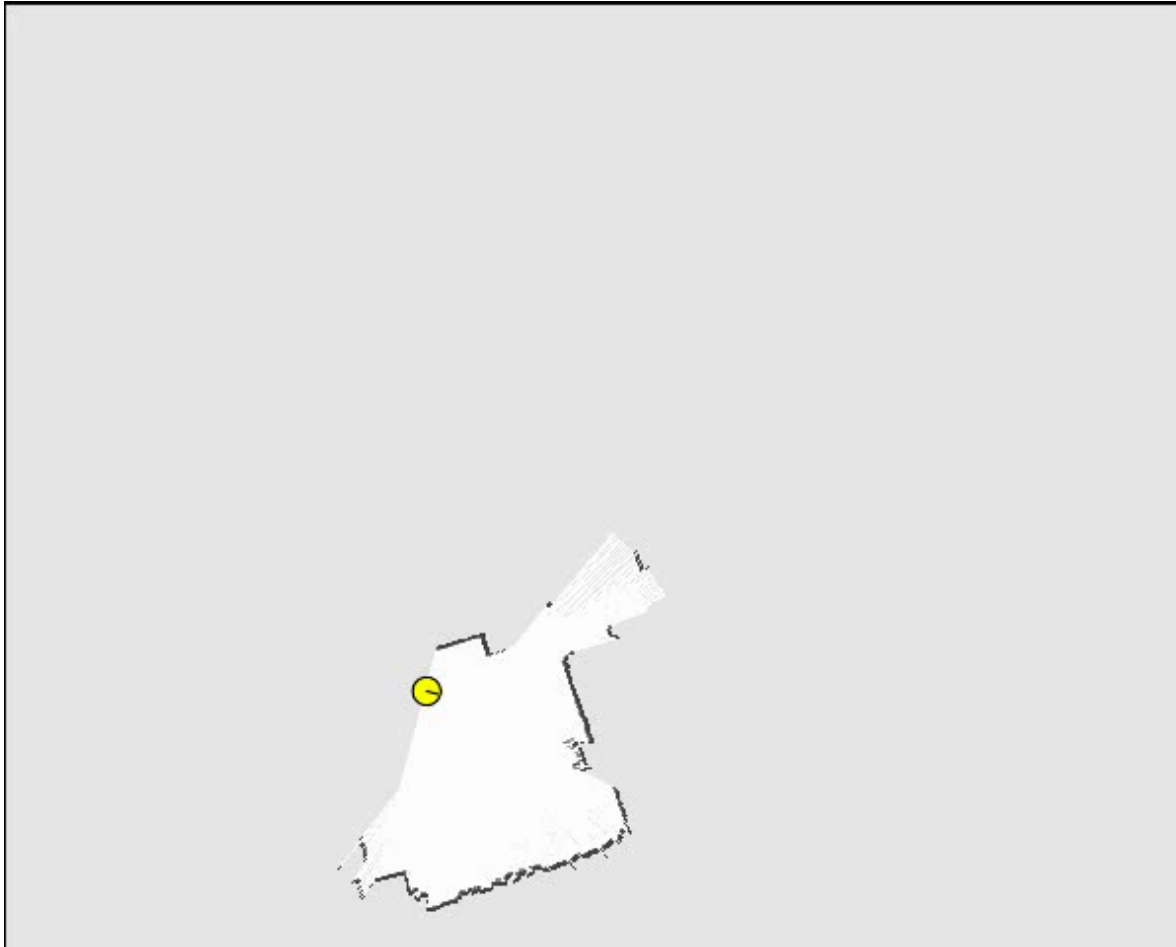
Example: Active Loop Closing

[Stachniss et al., 2005]

- Entropy evolution



Example: Reduce uncertainty in map, path, and pose [Stachniss et al., 2005]

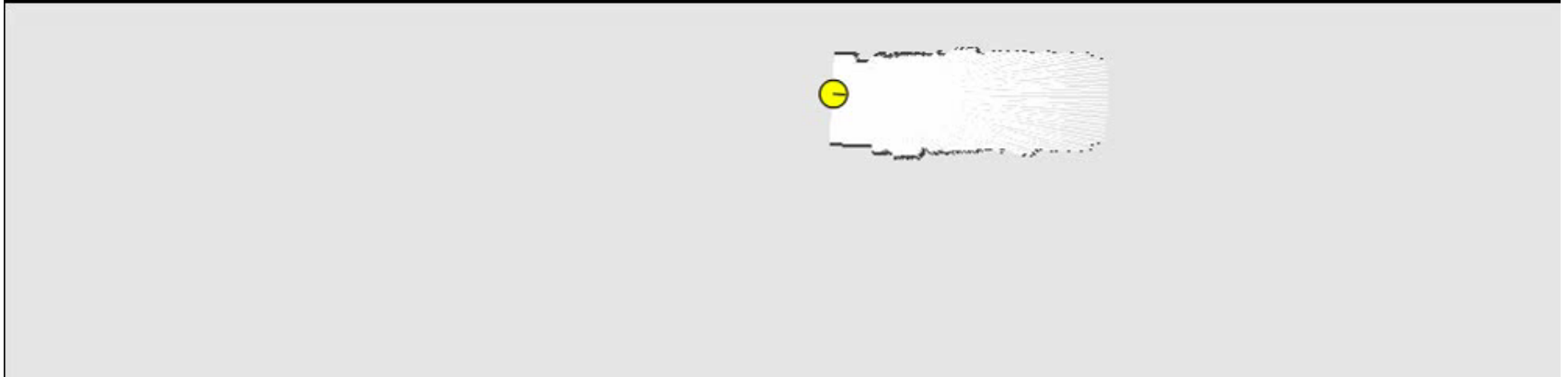


Selected
target
location



Corridor Exploration

[Stachniss et al., 2005]

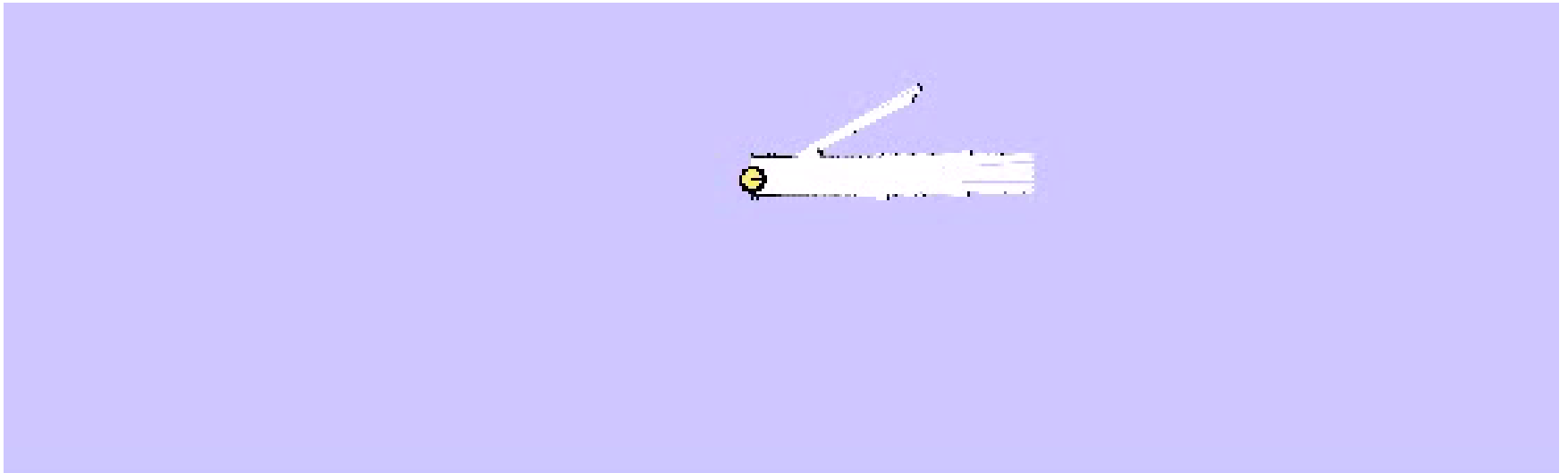


- The decision-theoretic approach leads to **intuitive behaviors**: “re-localize before getting lost”
- Some animals show a similar behavior

Multi-Robot Exploration

Given: Team of robots with communication

Goal: Explore the environment as fast as possible



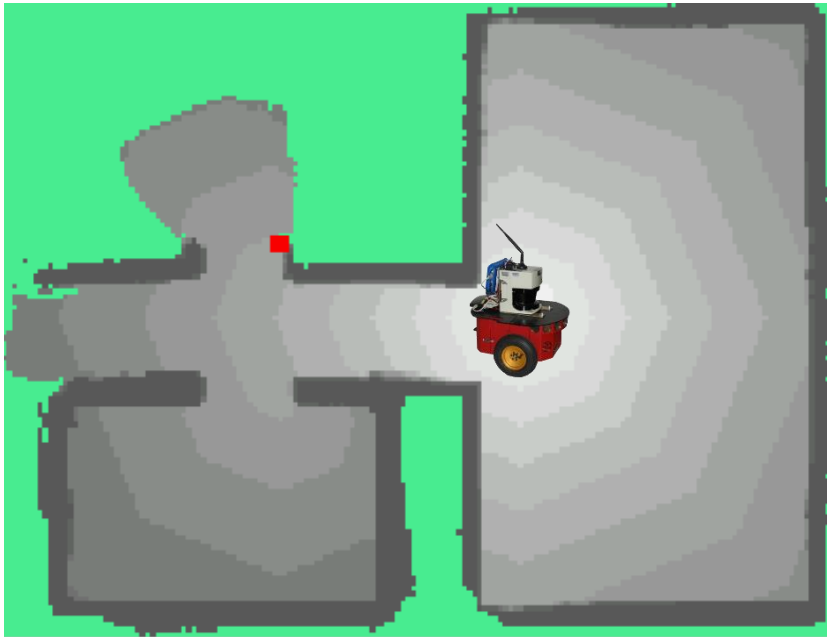
[Wurm et al., IROS 2011]

Complexity

- Single-robot exploration in known, graph-like environments is in general **NP-hard**
- Proof: Reduce traveling salesman problem to exploration
- Complexity of multi-robot exploration is **exponential** in the number of robots

Motivation: Why Coordinate?

Robot 1



Robot 2



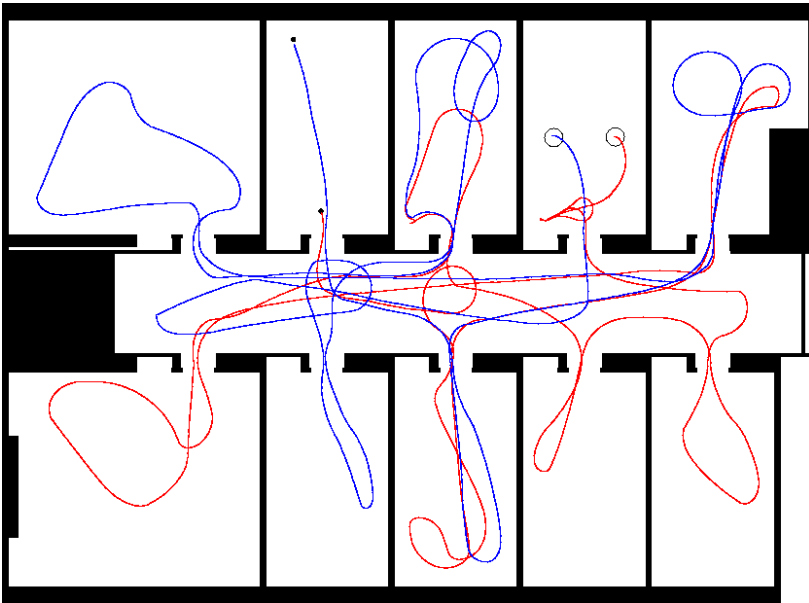
- Without coordination, two robots might choose the same exploration frontier

Levels of Coordination

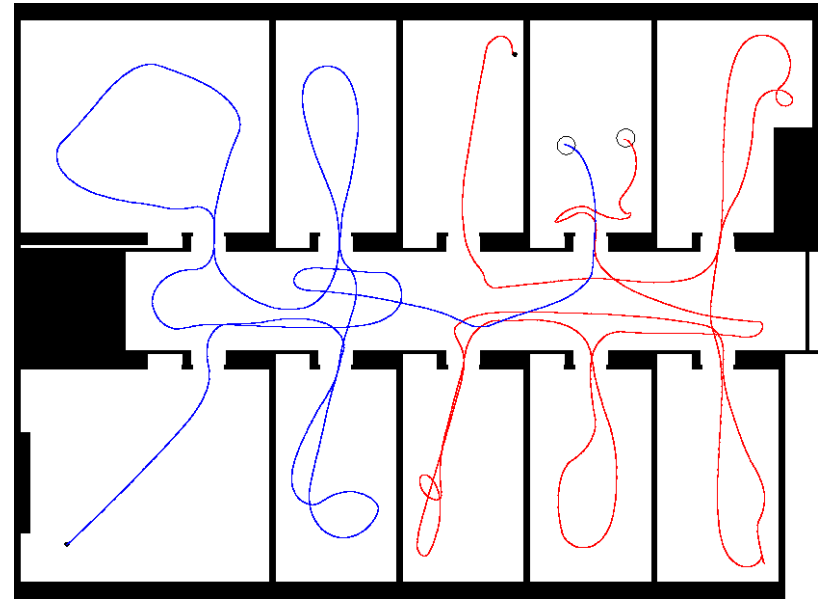
- 1. No exchange of information**
- 2. Implicit coordination:** Sharing a joint map
 - Communication of the individual maps and poses
 - Central mapping system
- 3. Explicit coordination:** Determine better target locations to distribute the robots
 - Central planner for target point assignment
 - Minimize expected path cost / information gain / ...

Typical Trajectories

Implicit coordination:

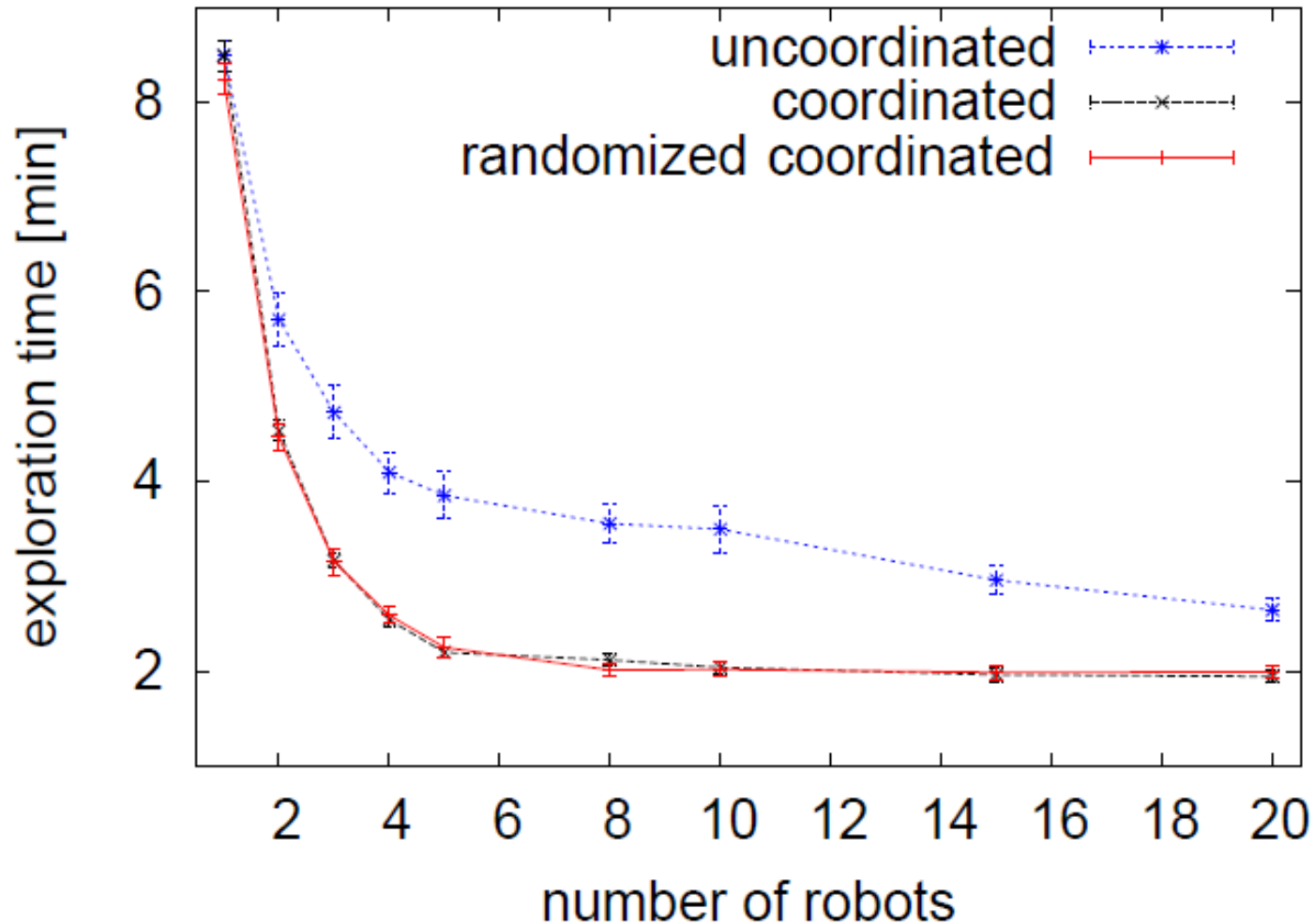


Explicit coordination:



Exploration Time

[Stachniss et al., 2006]



Coordination Algorithm

In each time step:

- Determine set of exploration targets

$$S = \{s_1, \dots, s_n\}$$

- Compute for each robot i and each target j the expected cost/utility C_{ij}
- Assign robots to targets using the **Hungarian algorithm**

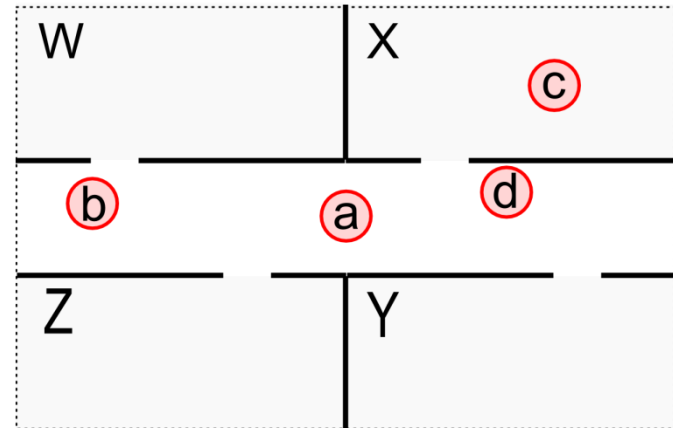
Hungarian Algorithm

[Kuhn, 1955]

- Combinatorial optimization algorithm
- Solves the assignment problem in polynomial time $O(n^3)$
- General idea: Algorithm modifies the cost matrix until there is zero cost assignment

Hungarian Algorithm: Example

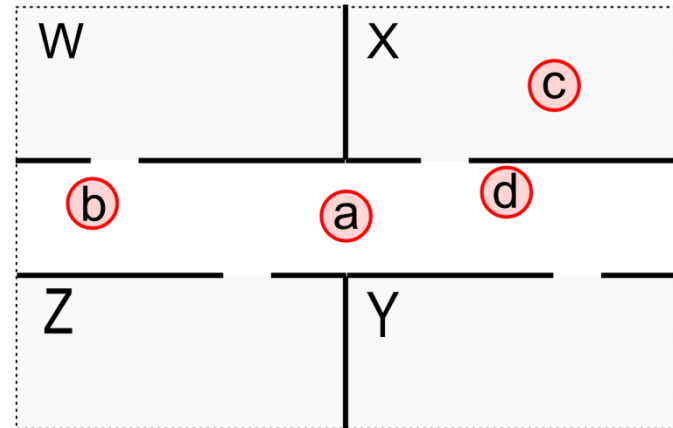
| | | targets | | | |
|--------|---|---------|---|---|---|
| | | W | X | Y | Z |
| robots | a | 3 | 2 | 3 | 2 |
| | b | 2 | 5 | 6 | 3 |
| | c | 7 | 1 | 3 | 5 |
| | d | 6 | 2 | 3 | 5 |



1. Compute the cost matrix (non-negative)

Hungarian Algorithm: Example

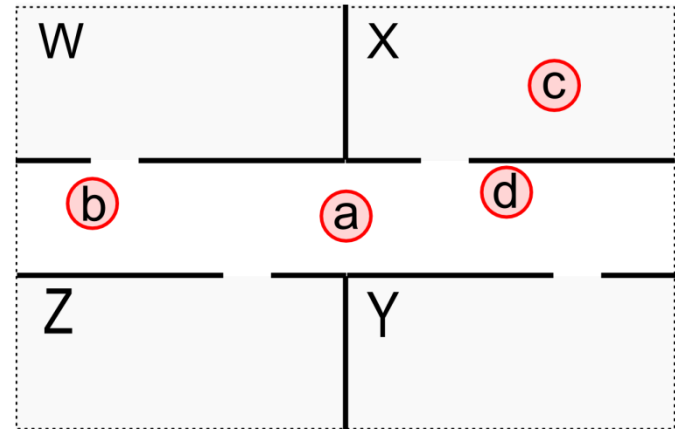
| | | targets | | | |
|--------|---|---------|---|---|---|
| | | W | X | Y | Z |
| robots | a | 3 | 2 | 3 | 2 |
| | b | 2 | 5 | 6 | 3 |
| | c | 7 | 1 | 3 | 5 |
| | d | 6 | 2 | 3 | 5 |



2. Find minimum element in each row

Hungarian Algorithm: Example

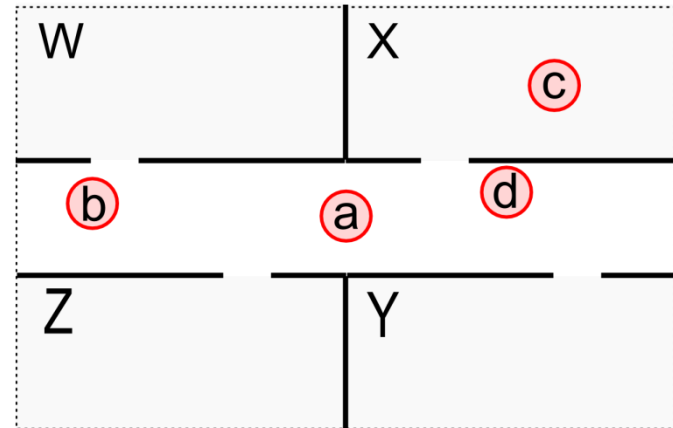
| | | targets | | | | |
|--------|---|---------|---|---|---|---|
| | | W | X | Y | Z | |
| robots | a | 3 | 2 | 3 | 2 | 2 |
| | b | 2 | 5 | 6 | 3 | 2 |
| | c | 7 | 1 | 3 | 5 | 1 |
| | d | 6 | 2 | 3 | 5 | 2 |



3. Subtract minimum from each row element

Hungarian Algorithm: Example

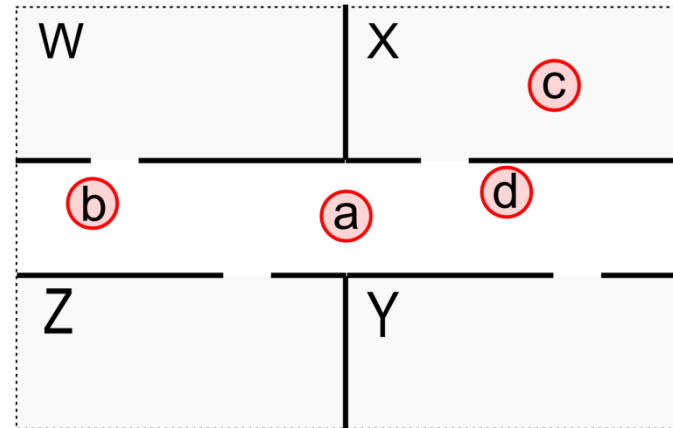
| | | targets | | | |
|--------|---|---------|---|---|---|
| | | W | X | Y | Z |
| robots | a | 1 | 0 | 1 | 0 |
| | b | 0 | 3 | 4 | 1 |
| | c | 6 | 0 | 2 | 4 |
| | d | 4 | 0 | 1 | 3 |
| | | 0 | 0 | 1 | 0 |



4. Find minimum element in each column

Hungarian Algorithm: Example

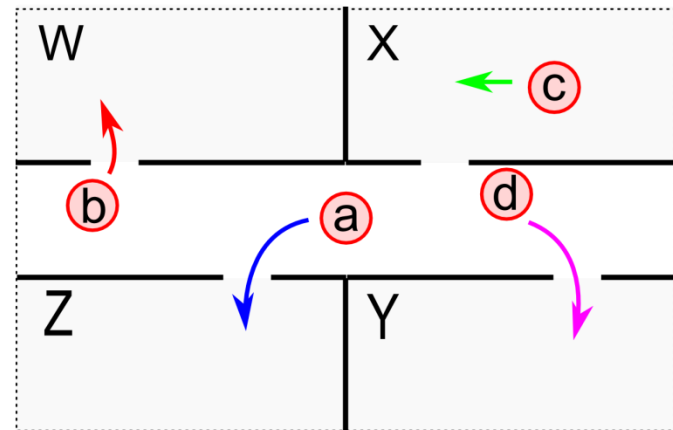
| | | targets | | | |
|--------|---|---------|---|---|---|
| | | W | X | Y | Z |
| robots | a | 1 | 0 | 0 | 0 |
| | b | 0 | 3 | 3 | 1 |
| | c | 6 | 0 | 1 | 4 |
| | d | 4 | 0 | 0 | 3 |
| | | 0 | 0 | 1 | 0 |



5. Subtract minimum from each column element

Hungarian Algorithm: Example

| | | targets | | | |
|--------|---|---------|---|---|---|
| | | W | X | Y | Z |
| robots | a | 1 | 0 | 0 | 0 |
| | b | 0 | 3 | 3 | 1 |
| | c | 6 | 0 | 1 | 4 |
| | d | 4 | 0 | 0 | 3 |



6a. Assign (if possible)

Hungarian Algorithm: Example

| | | targets | | | |
|--------|---|---------|---|---|---|
| | | W | X | Y | Z |
| robots | a | 1 | 0 | 0 | 0 |
| | b | 0 | 3 | 3 | 1 |
| | c | 6 | 0 | 1 | 4 |
| | d | 4 | 0 | 0 | 3 |

- 6b. If no assignment is possible:
- Connect all 0's by vertical/horizontal lines
 - Find the minimum in all remaining elements and subtract
 - Add to all double crossed out coefficients
 - Repeat step 2 – 6

Hungarian Algorithm: Example

| | | targets | | | |
|--------|---|---------|---|----|----|
| | | X | Y | X' | Y' |
| robots | a | 2 | 3 | 2 | 3 |
| | b | 5 | 6 | 5 | 6 |
| | c | 1 | 3 | 1 | 3 |
| | d | 2 | 3 | 2 | 3 |

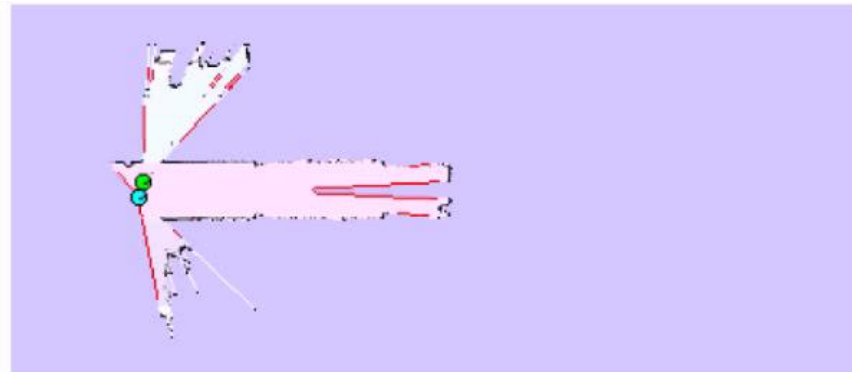
If there are not enough targets:

Copy targets to allow multiple assignments

Example: Segmentation-based Exploration

[Wurm et al., IROS 2008]

- Two-layer hierarchical role assignments using Hungarian algorithm (1: rooms, 2: targets in room)
- Reduces exploration time and risk of interferences



Summary: Exploration

- Exploration aims at generating robot motions so that an **optimal map** is obtained
- **Coordination** reduces exploration time
- **Hungarian algorithm** efficiently solves the assignment problem (centralized, 1-step lookahead)
- Challenges (active research):
 - Limited bandwidth and **unreliable communication**
 - **Decentralized planning** and task assignment

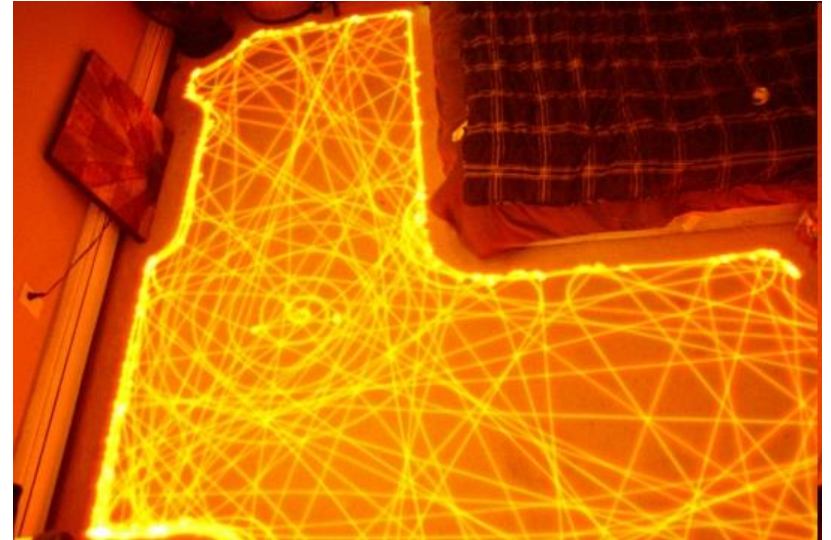
Coverage Path Planning

- **Given:** Known environment with obstacles
- **Wanted:** The shortest trajectory that ensures complete (sensor) coverage



[images from Xu et al., ICRA 2011]

Coverage Path Planning



Visual Navigation for Flying Robots

Coverage Path Planning: Applications

- For flying robots
 - Search and rescue
 - Area surveillance
 - Environmental inspection
 - Inspection of buildings (bridges)
- For service robots
 - Lawn mowing
 - Vacuum cleaning
- For manipulation robots
 - Painting
 - Automated farming

Coverage Path Planning

- What is a good coverage strategy?
- What would be a good cost function?

Coverage Path Planning

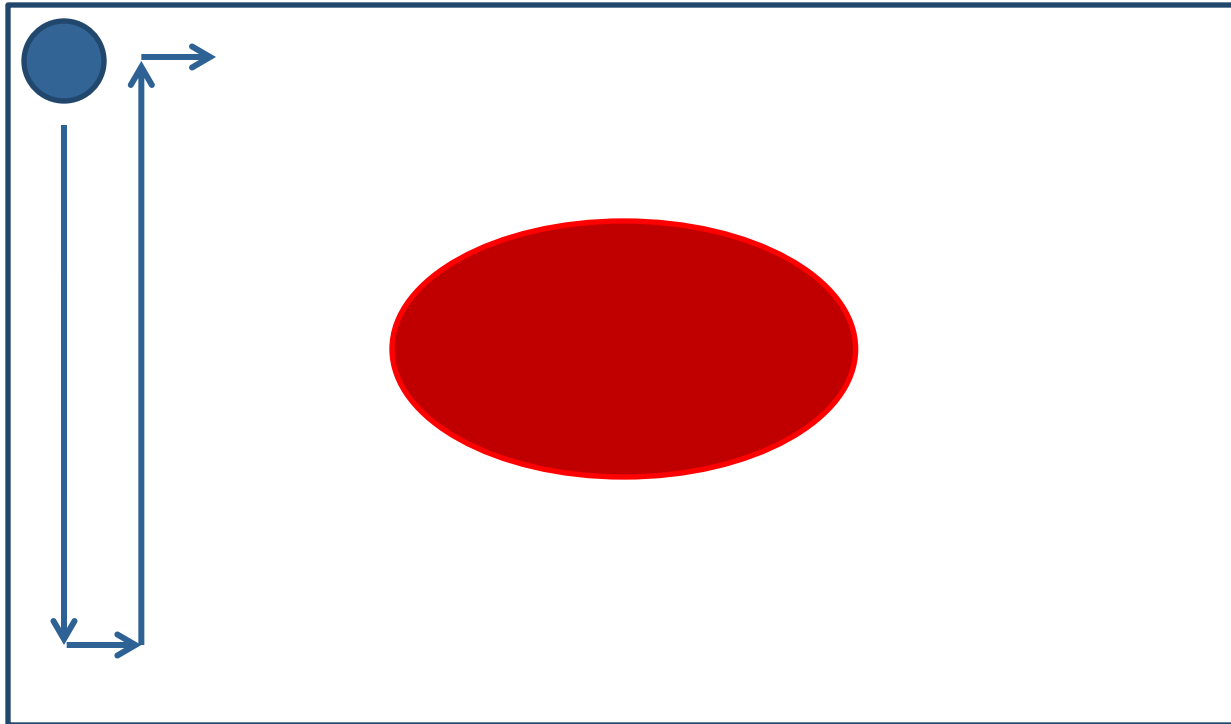
- What is a good coverage strategy?
- What would be a good cost function?
 - Amount of redundant traversals
 - Number of stops and rotations
 - Execution time
 - Energy consumption
 - Robustness
 - Probability of success
 - ...

Coverage Path Planning

- Related to the traveling salesman problem (TSP):
“Given a weighted graph, compute a path that visits every vertex once”
- In general **NP-complete**
- Many approximations exist
- Many approximate (and exact) solvers exist

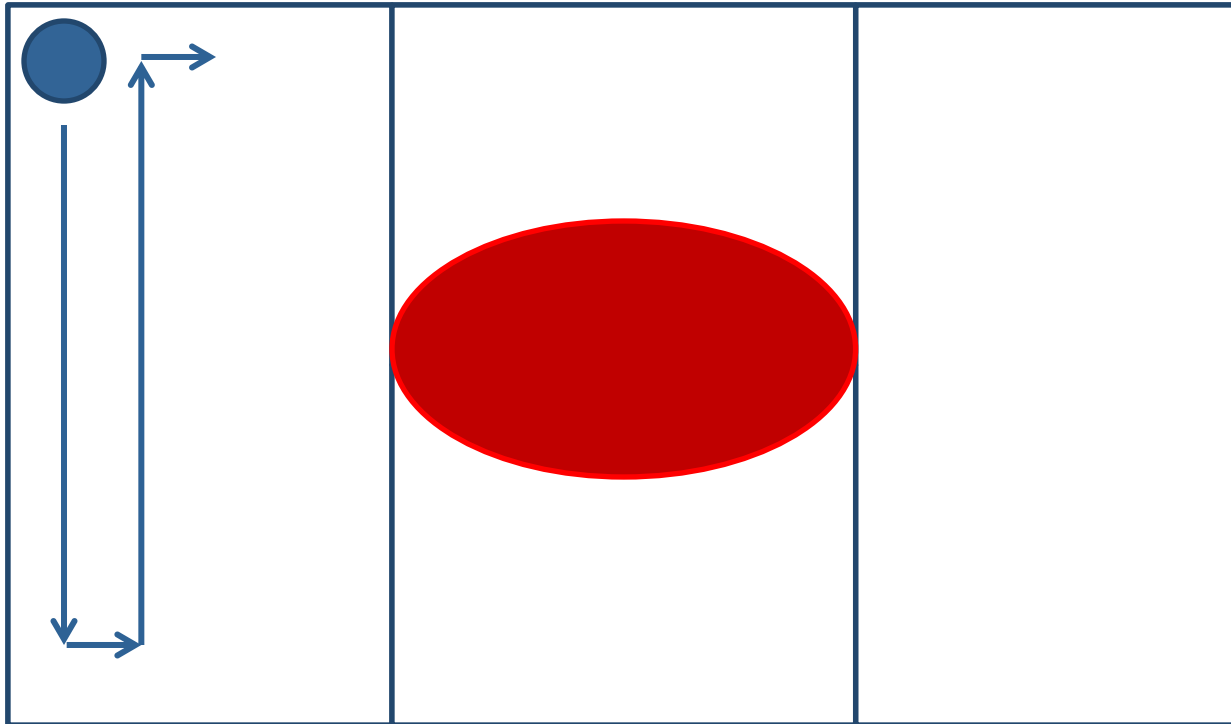
Idea

[Mannadiar and Rekleitis, ICRA 2011]



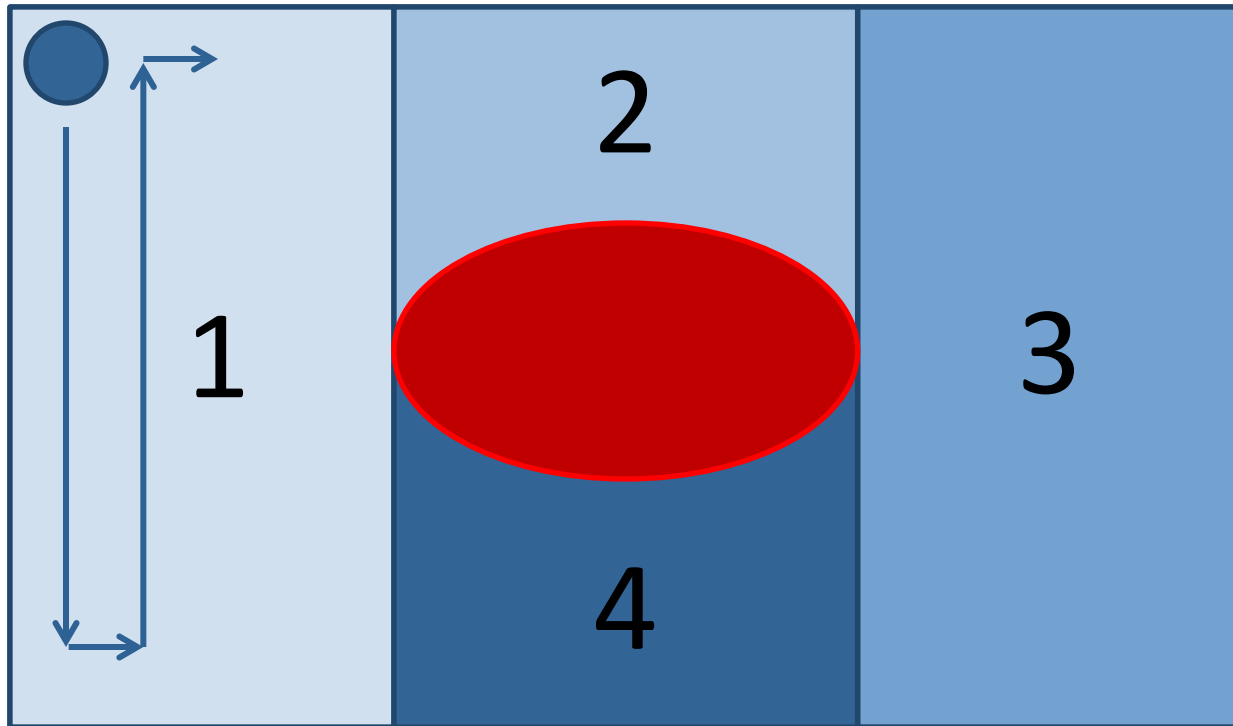
Idea

[Mannadiar and Rekleitis, ICRA 2011]



Idea

[Mannadiar and Rekleitis, ICRA 2011]



Coverage Based On Cell Decomposition

[Mannadiar and Rekleitis, ICRA 2011]

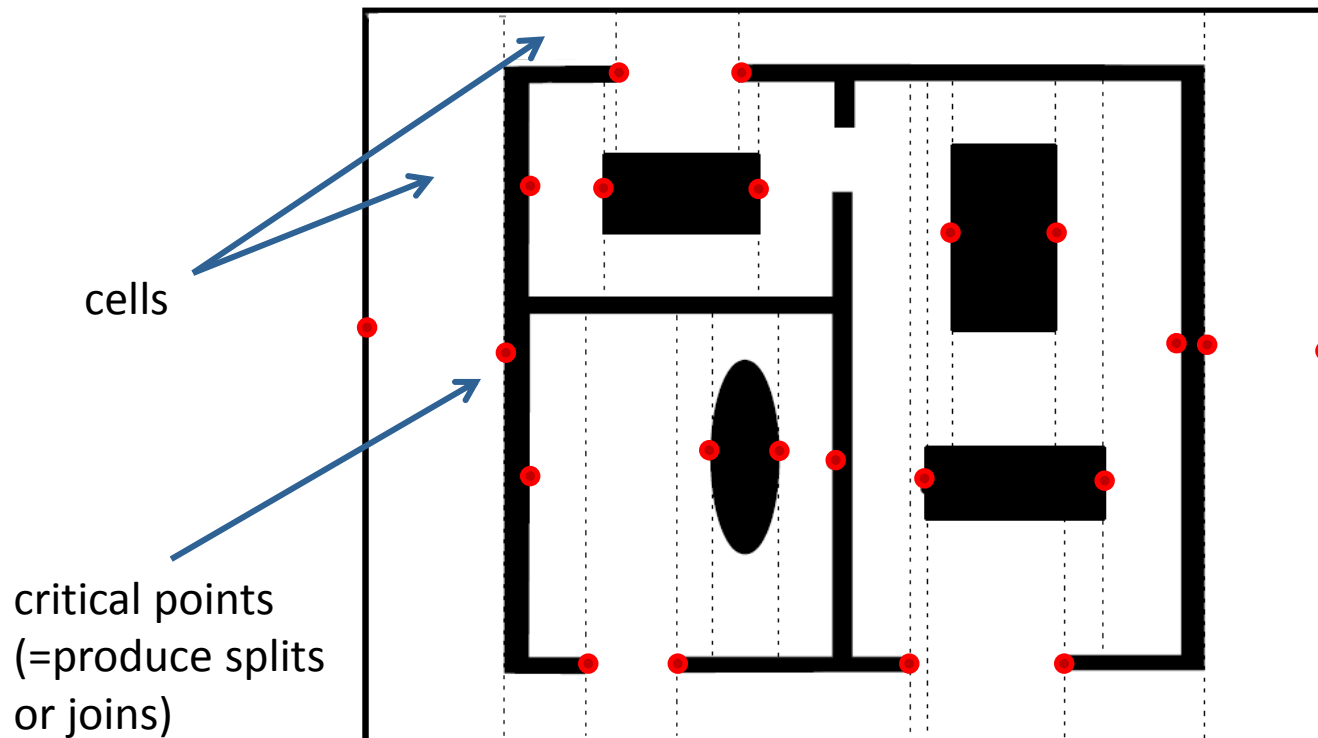
Approach:

1. Decompose map into “simple” cells
2. Compute connectivity between cells and build graph
3. Solve coverage problem on reduced graph

Step 1: Boustrophedon Cellular Decomposition

[Mannadiar and Rekleitis, ICRA 2011]

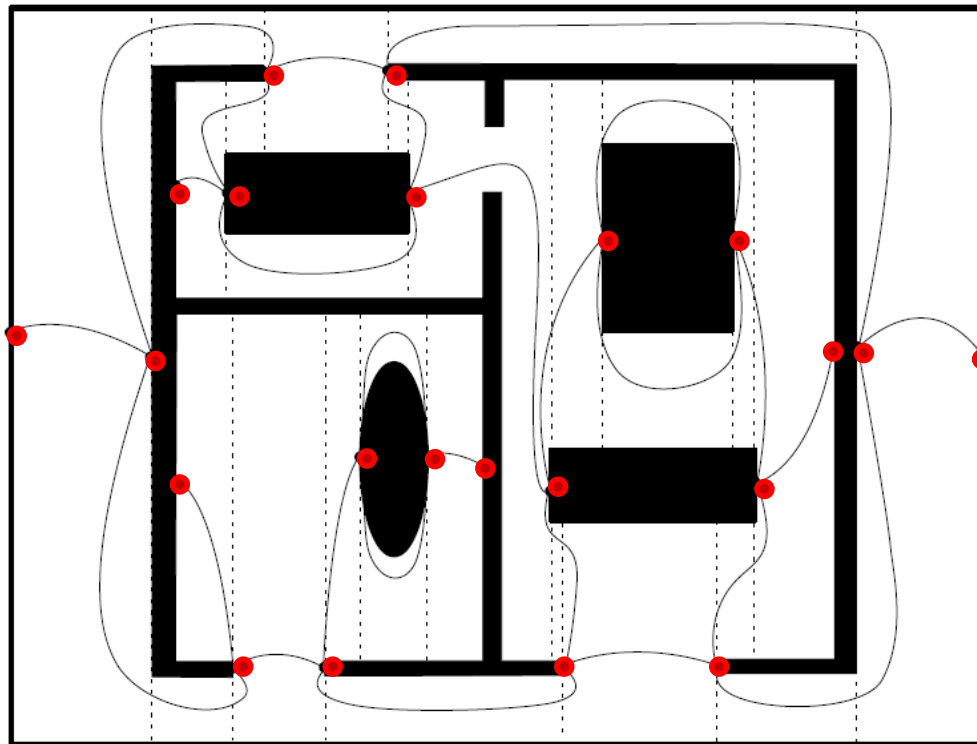
- Similar to trapezoidal decomposition
- Can be computed efficiently in 2D



Step 2: Build Reeb Graph

[Mannadiar and Rekleitis, ICRA 2011]

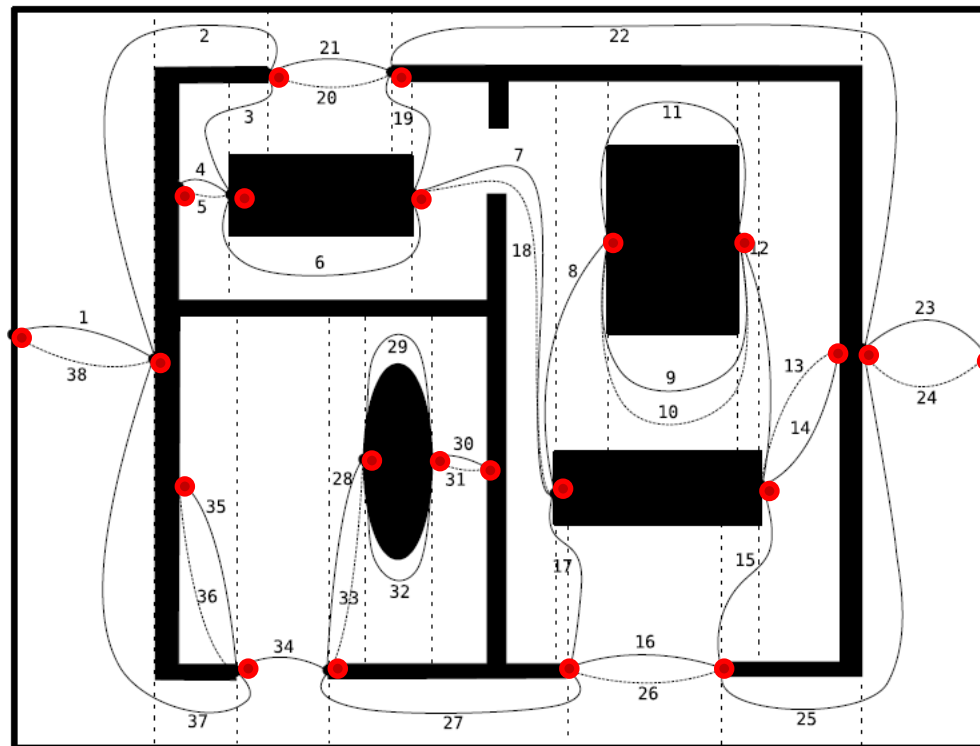
- Vertices = Critical points (that triggered the split)
- Edges = Connectivity between critical points



Step 3: Compute Euler Tour

[Mannadiar and Rekleitis, ICRA 2011]

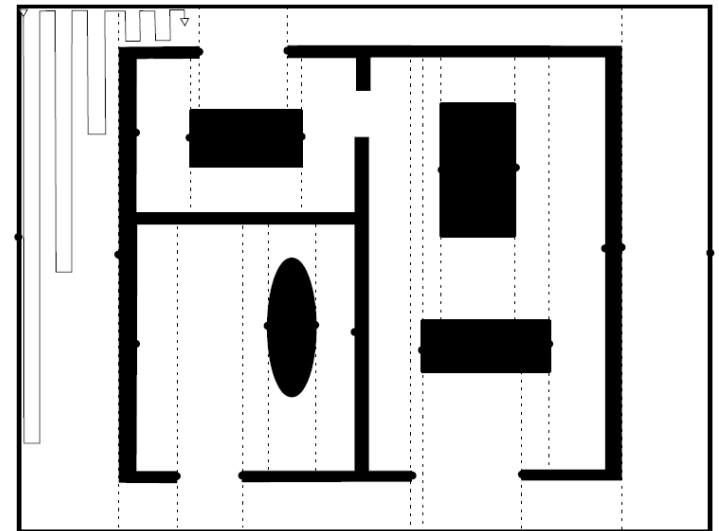
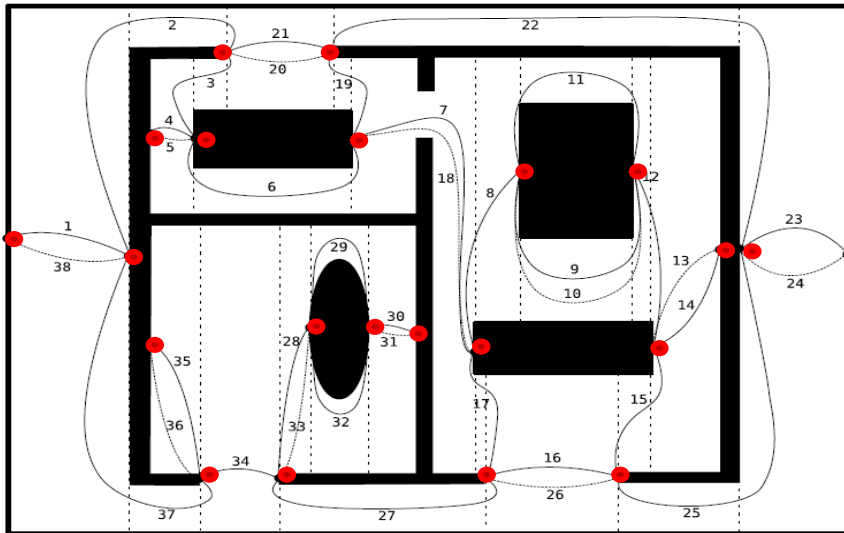
- Extend graph so that vertices have even order
- Compute Euler tour (linear time)



Resulting Coverage Plan

[Mannadiar and Rekleitis, ICRA 2011]

- Follow the Euler tour
- Use simple coverage strategy for cells
- Note: Cells are visited once or twice



What are the desired properties of a good scientific experiment?

- Reproducibility / repeatability
 - Document the experimental setup
 - Choose (and motivate) an your evaluation criterion
- Experiments should allow you to validate/falsify competing hypotheses

Current trends:

- Make data available for review and criticism
- Same for software (open source)

Benchmarks

- Effective and affordable way of conducting experiments
- Sample of a task domain
- Well-defined performance measurements
- Widely used in computer vision and robotics
- **Which benchmark problems do you know?**

Example Benchmark Problems

Computer Vision

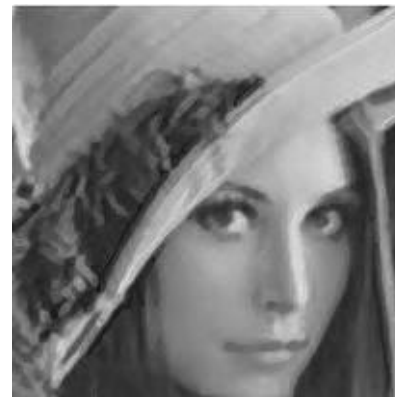
- Middlebury datasets (optical flow, stereo, ...)
- Caltech-101, PASCAL (object recognition)
- Stanford bunny (3d reconstruction)

Robotics

- RoboCup competitions (robotic soccer)
- DARPA challenges (autonomous car)
- SLAM datasets

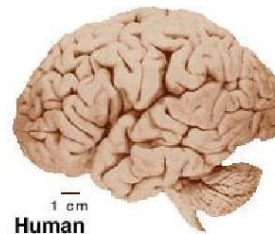
Image Denoising: Lenna Image

- 512x512 pixel standard image for image compression and denoising
- Lena Söderberg, Playboy magazine Nov. 1972
- Scanned by Alex Sawchuck at USC in a hurry for a conference paper



Object Recognition: Caltech-101

- Pictures of objects belonging to 101 categories
- About 40-800 images per category
- Recognition, classification, categorization



RoboCup Initiative

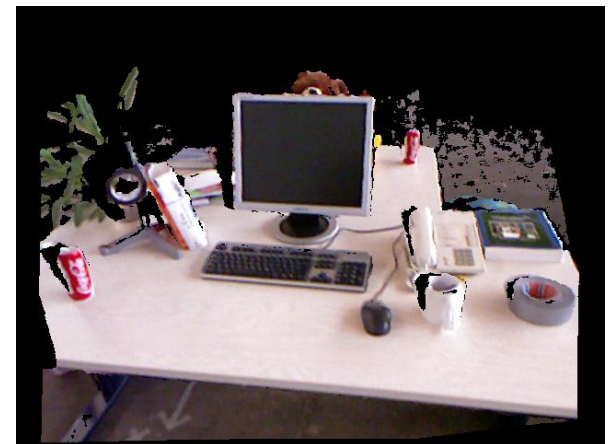
- Evaluation of full system performance
- Includes perception, planning, control, ...
- Easy to understand, high publicity
- “By mid-21st century, a team of fully autonomous humanoid robot soccer players shall win the soccer game, complying with the official rule of the FIFA, against the winner of the most recent World Cup.”

RoboCup Initiative



SLAM Evaluation

- Intel dataset: laser + odometry [Haehnel, 2004]
- New College dataset: stereo + omni-directional vision + laser + IMU [Smith et al., 2009]
- TUM RGB-D dataset [Sturm et al., 2011/12]
- ...



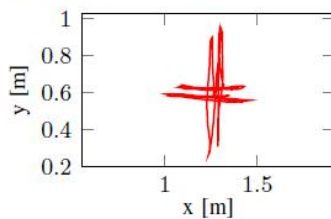
TUM RGB-D Dataset

[Sturm et al., RSS RGB-D 2011; Sturm et al., IROS 2012]

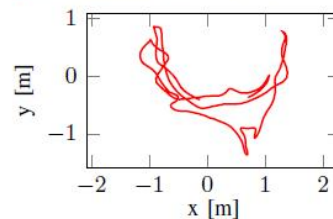
- RGB-D dataset with ground truth for SLAM evaluation
- Two error metrics proposed (relative and absolute error)
- Online + offline evaluation tools
- Training datasets (fully available)
- Validation datasets (ground truth not publicly available to avoid overfitting)

Recorded Scenes

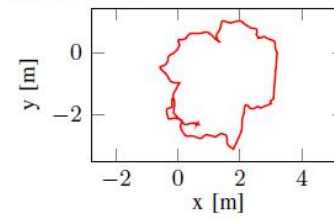
- Various scenes (handheld/robot-mounted, office, industrial hall, dynamic objects, ...)
- Large variations in camera speed, camera motion, illumination, environment size, ...



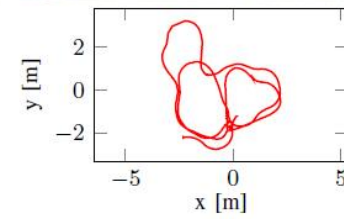
(a) fr1/xyz



(b) fr1/room



(c) fr2/desk



(d) fr2/slam

Dataset Acquisition

- Motion capture system
 - Camera pose (100 Hz)
- Microsoft Kinect
 - Color images (30 Hz)
 - Depth maps (30 Hz)
 - IMU (500 Hz)
- External video camera (for documentation)

Motion Capture System

- 9 high-speed cameras mounted in room
- Cameras have active illumination and pre-process image (thresholding)
- Cameras track positions of retro-reflective markers



Visual Navigation for Flying Robots



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Dr. Jürgen Sturm, Computer Vision Group, TUM

Calibration

Calibration of the overall system is not trivial:

1. Mocap calibration
2. Kinect-mocap calibration
3. Time synchronization

Calibration Step 1: Mocap

- Need at least 2 cameras for position fix
- Need at least 3 markers on object for full pose
- Calibration stick for extrinsic calibration



Visual Navigation for Flying Robots



Calibration Step 1: Mocap

trajectory of the calibration stick in 3D

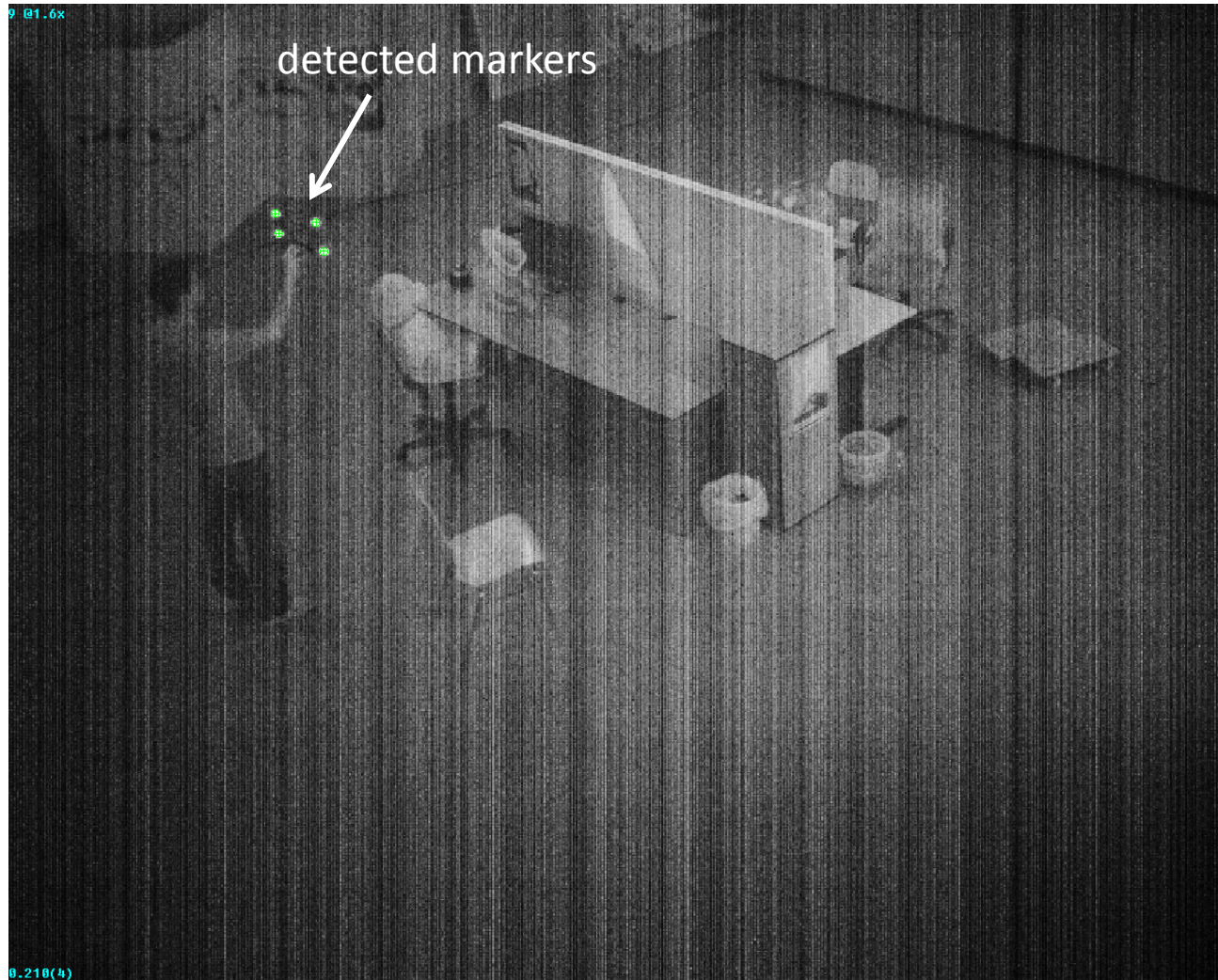
trajectory of the calibration stick in the individual cameras

SDK Latency: 114.3 ms
0.000 (0+0)

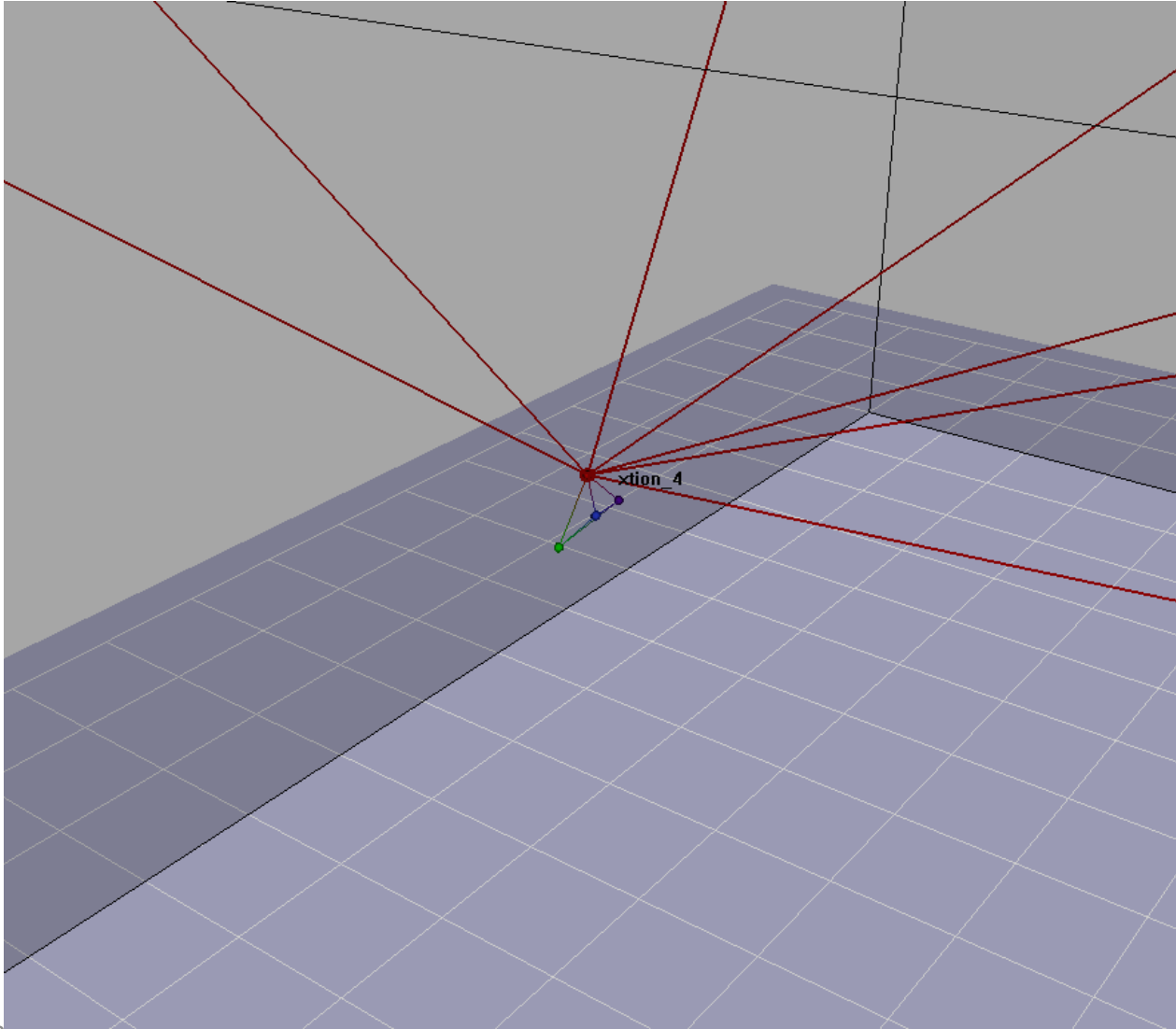
Recording Settings... (2000000 Seconds) (VC* TRC TRB)

| Camera Number | Number of Frames | (Example Frame Number) |
|---------------|------------------|------------------------|
| 2 | 1 | (21540) |
| 3 | 2 | (21576) |
| 4 | 425 | (21580) |
| 5 | 59 | (21537) |
| 6 | 1 | (30821) |
| 7 | 2 | (31029) |
| 8 | 13 | (21958) |
| 9 | 1 | (21959) |

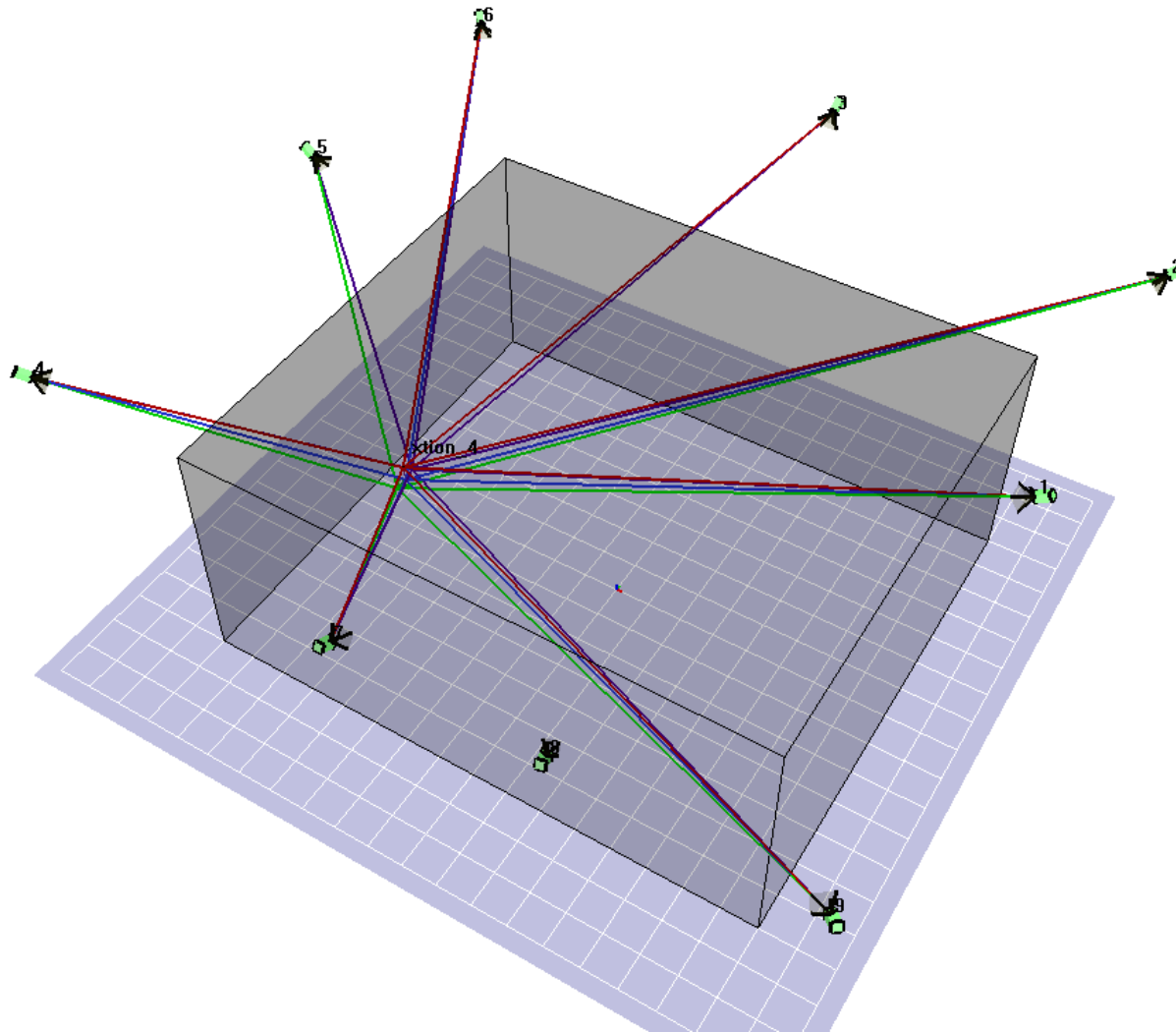
Example: Raw Image from Mocap



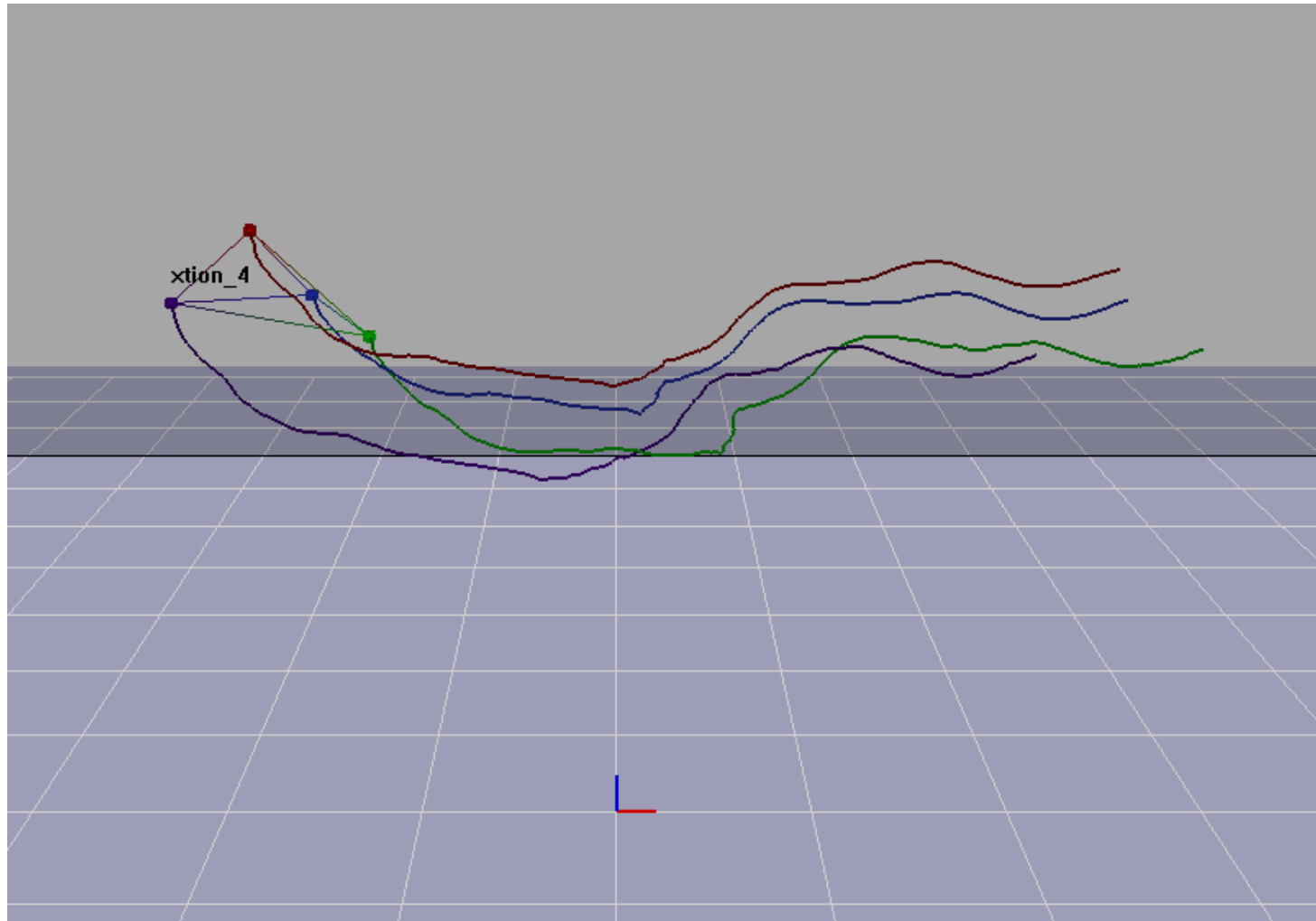
Example: Position Triangulation of a Single Marker



Example: Tracked Object (4 Markers)

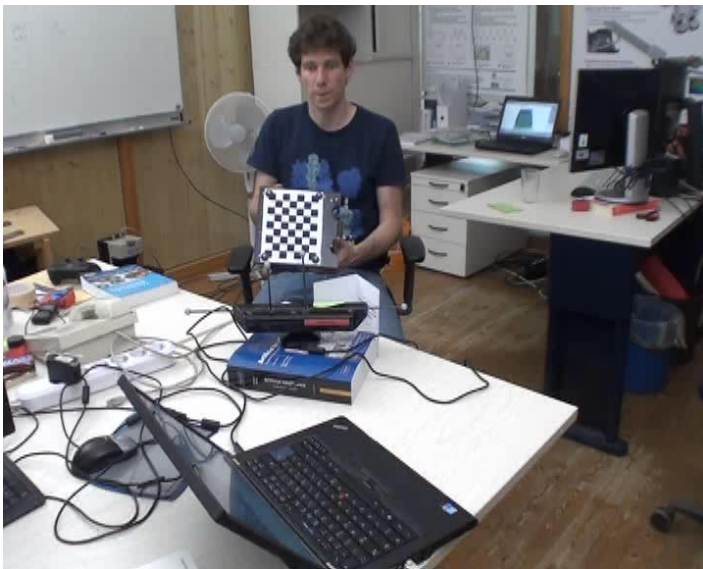


Example: Recorded Trajectory



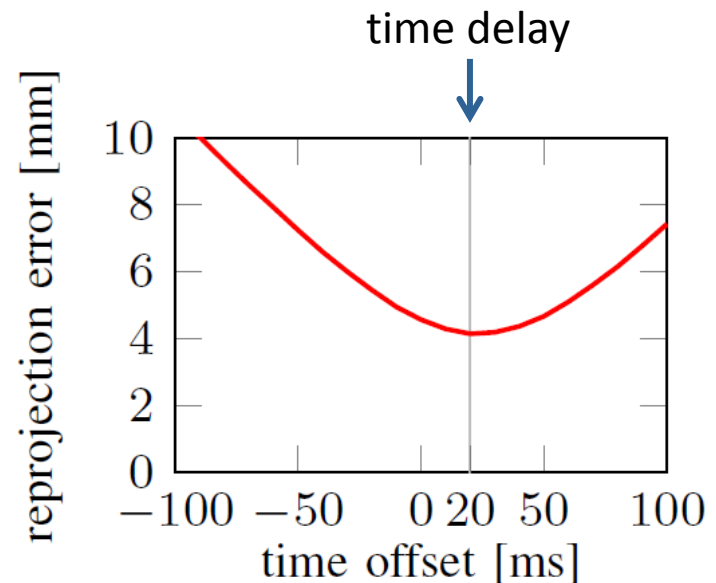
Calibration Step 2: Mocap-Kinect

- Need to find transformation between the markers on the Kinect and the optical center
- Special calibration board visible both by Kinect and mocap system (manually gauged)



Calibration Step 3: Time Synchronization

- Assume a constant time delay between mocap and Kinect messages
- Choose time delay that minimizes reprojection error during checkerboard calibration



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RGB-D SLAM Dataset and Benchmark

Contact: Jürgen Sturm

We provide a large dataset containing RGB-D data and ground-truth data with the goal to establish a novel benchmark for the evaluation of visual odometry and visual SLAM systems. Our dataset contains the color and depth images of a Microsoft Kinect sensor along the ground-truth trajectory of the sensor. The data was recorded at full frame rate (30 Hz) and sensor resolution (640×480). The ground-truth trajectory was obtained from a high-accuracy motion-capture system with eight high-speed tracking cameras (100 Hz). Further, we provide the accelerometer data from the Kinect. Finally, we propose an evaluation criterion for measuring the quality of the estimated camera trajectory of visual SLAM systems.

Quick Links

- [Download page](#)
- [File formats](#)
- [Camera parameters](#)
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How can I use the RGB-D Benchmark to evaluate my SLAM system?

1. Download one or more of the RGB-D benchmark sequences ([file formats](#), [useful tools](#))
2. Run your favorite visual odometry/visual SLAM algorithm (for example, [RGB-D SLAM](#))
3. Save the estimated camera trajectory to a file ([file formats](#), [example trajectory](#))
4. Evaluate your algorithm by comparing the estimated trajectory with the ground truth trajectory. We provide an [automated evaluation tool](#) to help you with the evaluation. There is also an [online version](#) of the tool.

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Dataset Download

We recommend that you use the **'xyz'** series for your first experiments. The motion is relatively small, and only a small volume on an office desk is covered. Once this works, you might want to try the **'desk'** dataset, which covers four tables and contains several loop closures.

We are happy to share our data with other researchers. Please refer to the [respective publication](#) when using this data.

Remarks:

- The file formats are described [here](#).
- The intrinsic camera parameters are [here](#).
- We provide a set of [useful tools](#) for working with the dataset.
- The `*_validation` sequences do not contain ground truth. They can only be evaluated using the [online tool](#).

| Sequence name | Duration | Length | Download | |
|--|----------|--------|--------------|---------------------------|
| Category: Testing and Debugging | | | | |
| freiburg1_xyz | 30.09s | 7.112m | tgz (0.47GB) | more info |
| freiburg1_rpy | 27.67s | 1.664m | tgz (0.42GB) | more info |
| freiburg2_xyz | 122.74s | 7.029m | tgz (2.39GB) | more info |

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freiburg1_xyz: RGB movie



[Click here for more information](#)

Download this movie as [avi](#)

Related movies: [RGB movie](#) and, [depth movie](#), [external camera view](#)

| | | | | |
|---------------|---------|--------|----------|---------------------------|
| freiburg1_xyz | 30.09s | 7.112m | (0.47GB) | more info |
| freiburg1_rpy | 27.67s | 1.664m | (0.42GB) | more info |
| freiburg2_xyz | 122.74s | 7.029m | (2.39GB) | more info |

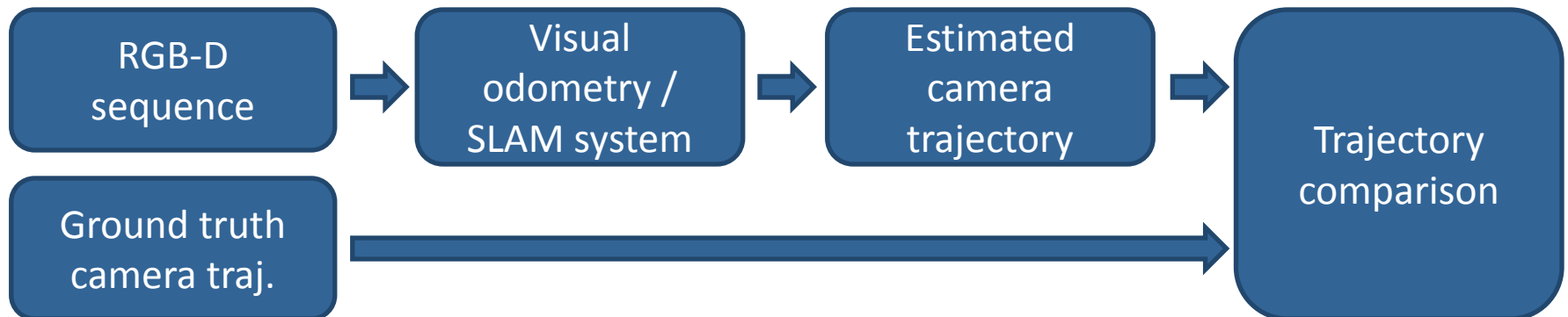
Dataset Website

- In total: 39 sequences (19 with ground truth)
- One ZIP archive per sequence, containing
 - Color and depth images (PNG)
 - Accelerometer data (timestamp ax ay az)
 - Trajectory file (timestamp tx ty tz qx qy qz qw)
- Sequences also available as ROS bag and MRPT rawlog

<http://vision.in.tum.de/data/datasets/rgbd-dataset>

What Is a Good Evaluation Metric?

- Compare camera trajectories
 - Ground truth trajectory $Q_1, \dots, Q_n \in \text{SE}(3)$
 - Estimate camera trajectory $P_1, \dots, P_n \in \text{SE}(3)$
- Two common evaluation metrics
 - Relative pose error (drift per second)
 - Absolute trajectory error (global consistency)



Relative Pose Error (RPE)

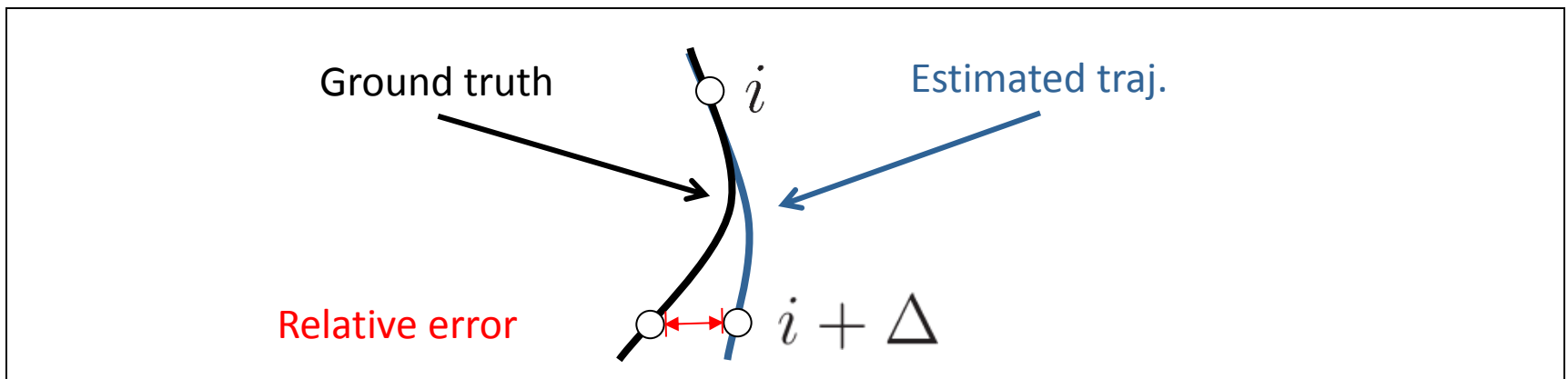
- Measures the (relative) **drift**
- Recommended for the evaluation of visual odometry approaches

$$E_i := \left(Q_i^{-1} Q_{i+\Delta} \right)^{-1} \left(P_i^{-1} P_{i+\Delta} \right)$$

Relative error

True motion

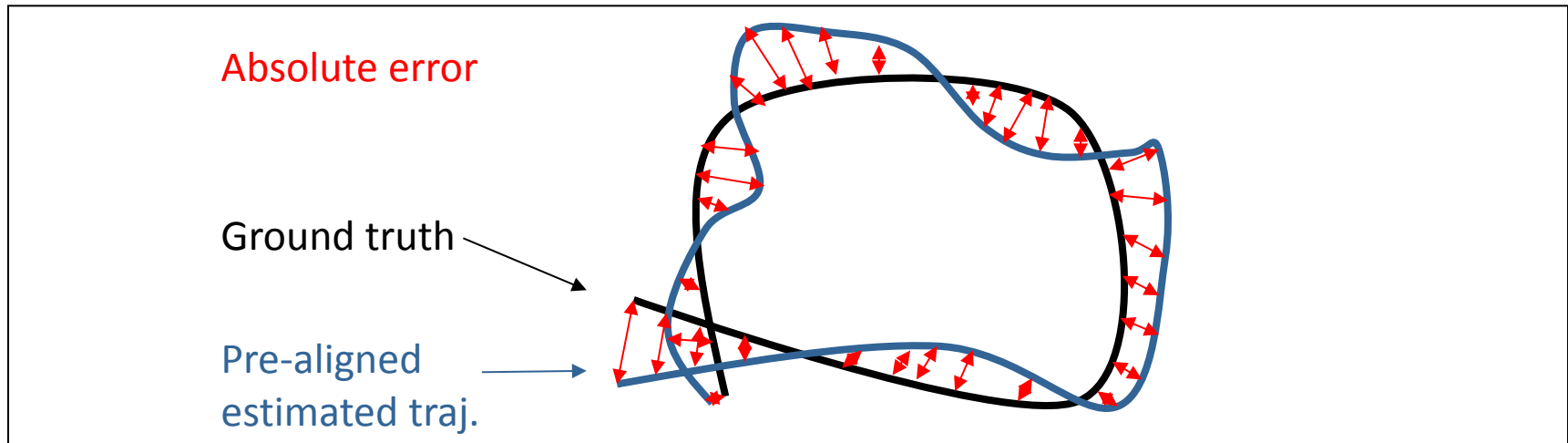
Estimated motion



Absolute Trajectory Error (ATE)

- Measures the **global error**
- Requires pre-aligned trajectories
- Recommended for SLAM evaluation

$$E_i := Q_i^{-1} S P_i$$



Evaluation metrics

- Average over all time steps

$$\text{RMSE}(E_{1:n}) := \left(\frac{1}{m} \sum_{i=1}^m \| \text{trans}(E_i) \|^2 \right)^{1/2}$$

- Reference implementations for both evaluation metrics available
- Output: RMSE, Mean, Median (as text)
- Plot (png/pdf, optional)

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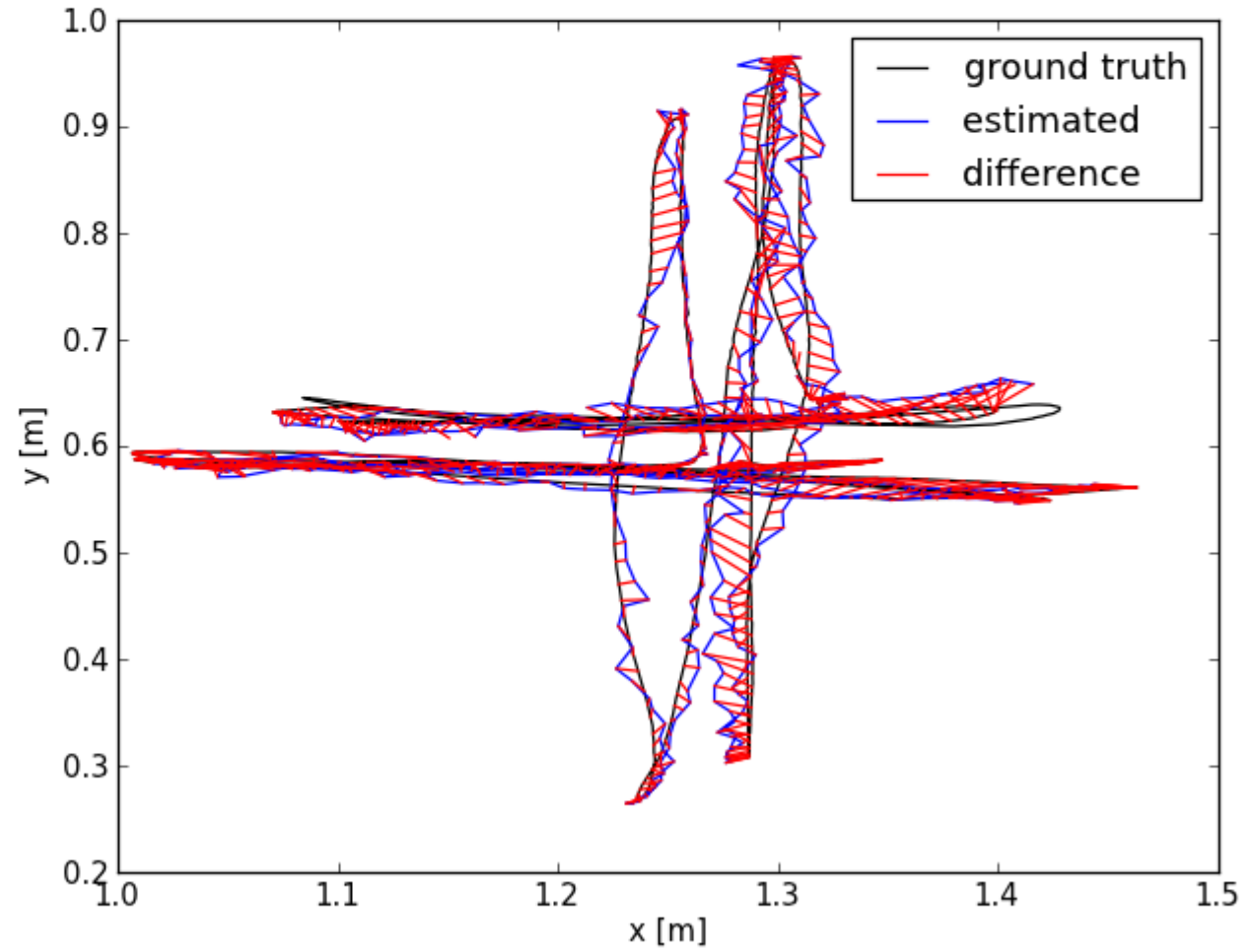
 Search
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Submission form for automatic evaluation of RGB-D SLAM results

| | |
|------------------------|--|
| Groundtruth trajectory | freiburg1/xyz <input type="button" value="v"/> |
| Estimated trajectory | <input type="button" value="Datei auswählen"/> Keine ausgewählt |
| Evaluation options | Offset: <input type="text" value="0.00"/> seconds (add to stamps of estimated traj.) Scale: <input type="text" value="1.00"/> (scale estimated traj. by this factor) |
| Evaluation mode | <input checked="" type="radio"/> absolute trajectory error (recommended for the evaluation of visual SLAM methods) <input type="radio"/> relative pose error for pose pairs with a distance of <input type="text" value="1"/> <input type="text" value="second(s)"/> <input type="button" value="v"/> (recommended for the evaluation of visual odometry methods) <input type="radio"/> relative pose error for all pairs (downsampled to <input type="text" value="10000"/> pairs) |

Runs the evaluation script on your data and displays the result. No data will be permanently saved on our servers. Alternatively, you can also download the [evaluation script](#) and perform the evaluation offline. Additional information about the [evaluation options](#) and the [file formats](#) is available. We also provide an [example trajectory](#) for freiburg1/xyz by [RGBD-SLAM](#) as well as instructions how to [reproduce](#) these trajectories.

```
compared_pose_pairs 786 pairs  
absolute_translational_error.rmse 0.013473 m  
absolute_translational_error.mean 0.012029 m  
absolute_translational_error.median 0.011176 m  
absolute_translational_error.std 0.006068 m  
absolute_translational_error.min 0.000939 m  
absolute_translational_error.max 0.034727 m
```



Summary – TUM RGB-D Benchmark

- Dataset for the evaluation of RGB-D SLAM systems
- Ground-truth camera poses
- Evaluation metrics + tools available

Discussion on Benchmarks

Pro:

- Provide objective measure
- Simplify empirical evaluation
- Stimulate comparison

Con:

- Introduce bias towards approaches that perform well on the benchmark (overfitting)
- Evaluation metrics are not unique (many alternative metrics exist, choice is subjective)

Lessons Learned Today

- How to generate plans that are robust to uncertainty in sensing and locomotion
- How to explore an unknown environment
 - With a single robot
 - With a team of robots
- How to generate plans that fully cover known environments
- How to benchmark SLAM algorithms