GPU Programming in Computer Vision: Day 1

Date: Monday, 7. September 2015

Please work in groups of 3 people. We will check your solutions tomorrow after the lecture. Please be prepared to present your solution and explain the code.

Download the Code Framework

In your home directory, execute: git clone https://svncvpr.in.tum.de/git/cuda_ss15 The framework will be located in the folder cuda_ss15.

The framework shows how to use OpenCV to load/save/display images, access the camera, measure the run time, and process the command line parameters.

Compile: make Run: ./main

Copy the folder framework for each new exercise.

Reuse the kernels you have previously written as much as possible.

General Code Requirements for the Exercises

- Keep your code as general as possible. It must be applicable for images with an arbitrary number of channels n_c (if not stated otherwise).
- Always comment your code.
- Whenever new parameters are introduced, always write the corresponding getParam call, to be able to read in these parameters from command line arguments.
- Always include code for measuring run times and test how much time your overall computation for the exercise takes.
- When finished, test on several still images. If you want, also test on live webcam stream (uncomment #define CAMERA).
- Always use the macro CUDA_CHECK after each CUDA call, e.g. cudaMalloc(...); CUDA_CHECK;
- Hint: Multi-channel images are layered: access imgIn(x, y, channel c) as imgIn[x + (size_t)w*y + (size_t)w*h*c]
- Always use a variable (of type size_t) for an index which you need more than once, e.g. size_t ind = x + (size_t)w*y + (size_t)w*h*c;
- Always cast to size_t in integer products when computing array indices or image sizes

Exercise 1: Check CUDA and the installed GPU

(1P)

- 1. Open a terminal and check whether CUDA is installed: nvcc --version. Which version is installed?
- 2. Go to the "CUDA samples" folder and run deviceQuery. Find out the following:
 - (a) name of the installed GPU and its compute capability ("CUDA Capability")
 - (b) number of multiprocessors and CUDA cores
 - (c) amount of global memory
 - (d) max. amount of registers and shared memory per block

Exercise 2: First CUDA Kernels

(3P)

Implement the following CUDA kernels:

- 1. In basic/squareArray.cu, complete the CUDA code for squaring an array on the GPU. Implement the square operation as a __device__ function. Compile with nvcc -o squareArray squareArray.cu
- 2. In basic/addArrays.cu, complete the CUDA code for adding two arrays on the GPU. Implement the addition operation as a __device__ function.
- 3. Now, compile both files with (similarly for addArrays): nvcc -o squareArray squareArray.cu --ptxas-options=-v How many registers are used by your kernels?

Exercise 3: Gamma Correction

(4P)

Perform gamma correction on the colors of the input image: $u_c^{\text{out}}(x,y) = u_c(x,y)^{\gamma}$, $\gamma > 0$ for each pixel $(x,y) \in \Omega$ and for each channel $c \in \{1,\ldots,n_c\}$.

- 1. Write the CPU version. Keep your code general, so that it can process grayscale $(n_c = 1)$ as well as color images $(n_c = 3)$. Test on several input images, with and without the -gray parameter. Then test on live webcam images (uncomment #define CAMERA).
- 2. Write the GPU version. Test on still images and on the webcam stream.
- 3. Compare the CPU and GPU run times on still images. Average the run times over repeats ≥ 1 repetitions and experiment with different values of repeats. For the GPU version, first measure all operations, and then only the kernel executions excluding alloc/free/memcpy. What do you observe?
- 4. Experiment with several different block sizes for the kernel launch, starting with (32, 8, 1). Make sure that the overall number of threads per block is a multiple of 32. For which block size is the run time minimal?

^{1/}work/sdks/cudacurrent/samples/1_Utilities/deviceQuery

Exercise 4: Linear Operators

(4P)

Write code for computing the gradient of an image and the divergence of a vector field. Combine both kernels to compute the pixelwise norm of the Laplacian $\Delta u = \text{div}(\nabla u)$:

$$||\Delta u(x,y)||_2 = \sqrt{\sum_{c=1}^{n_c} \Delta u_c(x,y)^2}$$

Write only a GPU version. As usual, write your code for a general n_c . Implement this in several steps:

- 1. Write a kernel which computes the gradient $v^1 := \partial_x^+ u$ and $v^2 := \partial_y^+ u$ given an input image u. The images v^1 and v^2 have the same number of channels as u, and ∂_x^+ and ∂_y^+ are applied channelwise.
- 2. Write another kernel which computes the divergence $w := \partial_x^- v_1 + \partial_y^- v_2$ of a given vector field v. The image w has the same number of channels as v_1 and v_2 . The operators ∂_x^- and ∂_y^- are applied channelwise.
- 3. Write a third kernel which calculates at each pixel (x, y) the ℓ_2 -norm across the color channels:

$$||u(x,y)||_2 = \sqrt{\sum_{c=1}^{n_c} u_c(x,y)^2}.$$

4. Finally combine all three kernels to compute the absolute value of the Laplacian. Visualize the result.

Exercise 5: Convolution

(6P)

Implement the convolution $G_{\sigma} * u$ of an input image u with a Gaussian kernel G_{σ} . Use GPU global memory for everything.

- 1. Compute the kernel $k := G_{\sigma}$ on the CPU. Normalize so that the values sum up to 1. For a general variance $\sigma > 0$ set the kernel window radius to $r := \text{ceil}(3 \times \sigma)$ (i.e. round up).
- 2. Visualize the kernel using OpenCV. For visualization, define a copy k' which is equal to the kernel k but is scaled so that the maximum value is 1. Note that the kernel can be visualized as a grayscale image with width = height = 2r + 1. Remark: For this, you will need to define a new OpenCV output image in the framework.
- 3. Compute the convolution k * u on the CPU. The convolution is done channelwise on u. When the convolution requires values of u in pixels outside of the image domain, use clamping. Visualize the result.
- 4. Copy the kernel k computed in step 1 from the CPU to the GPU memory. Compute the convolution k*u on the GPU. Use a single kernel execution to process all channels. Visualize the result.
- 5. Experiment with different values of σ on still images, compare the run times
- 6. Test on webcam images.