

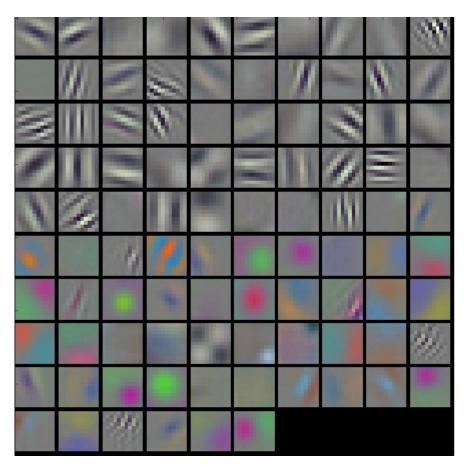
Visualization of ConvNets

Visualization of ConvNets

- Visualization of Features
- Visualization of Activations
- Visualization of Gradients
- T-SNE Visualization
- DeepDream
-

Visualization is a great way for debugging!

Visualization of Features

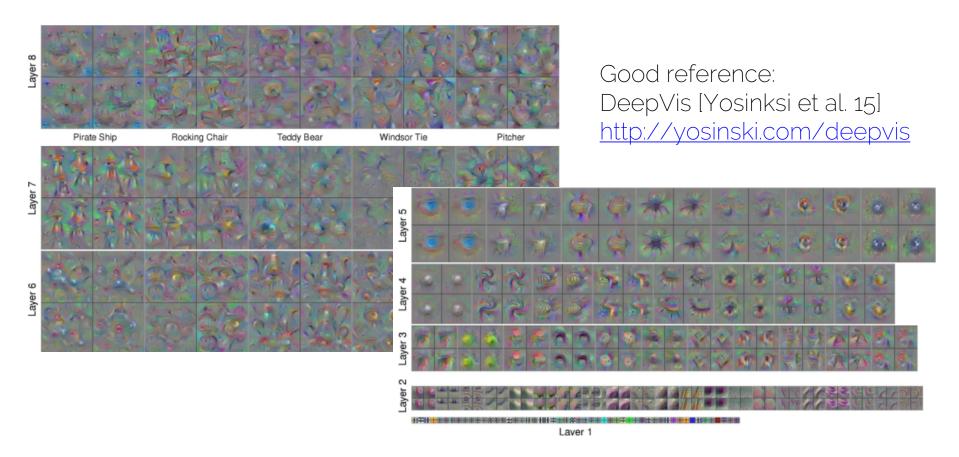


Visualization of AlexNet Features first Conv Layer (weights visualized)

Color clusters are due to AlexNet streams

Other layers are not so easy to visualize typically need projection first

Visualization of Gradients



Deep Visualization Toolbox

yosinski.com/deepvis

#deepvis



Jason Yosinski



Jeff Clune



Anh Nguyen



Thomas Fuchs



Hod Lipson





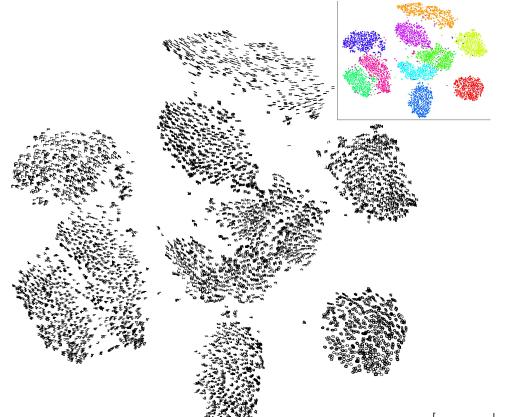


t-SNE Visualization

t-Distributed Stochastic Neighbor Embedding (t-SNE)

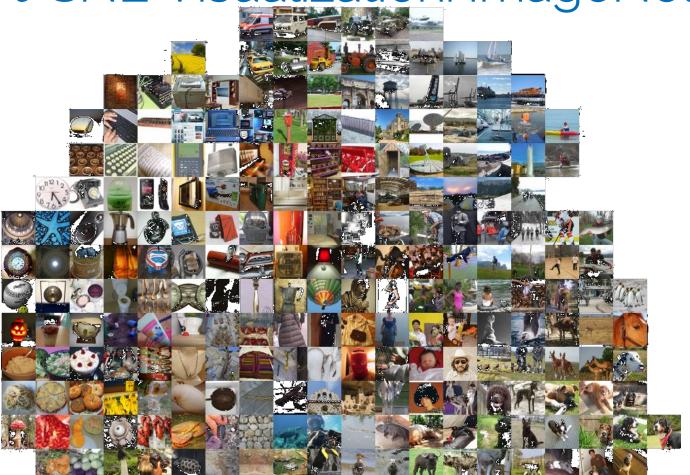
- Map high-dimensional embedding to 2D map
- Add samples from dataset according to their features to large image
- Very useful to spot clusters and debug embedding

t-SNE Visualization: MNIST



[van der Maaten et al.] t-SNE

t-SNE Visualization: ImageNet



t-SNE Visualization: ShapeNet



DeepDream



[Mordvintsev et al. 15] DeepDream

DeepDream

- Forward pass to the layer where you want to dream
- Make the gradients = raw activations
- Backprop to the image

- Amplifying the features that were activated at that layer
- Repeat

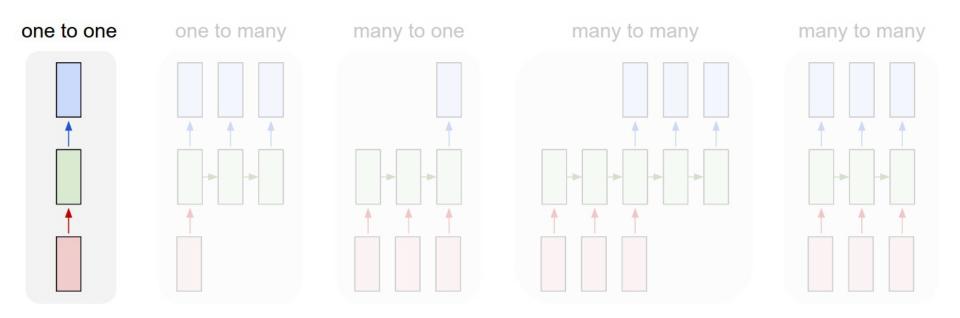
DeepDream







Recurrent Neural Networks



Classic Neural Networks for Image Classification

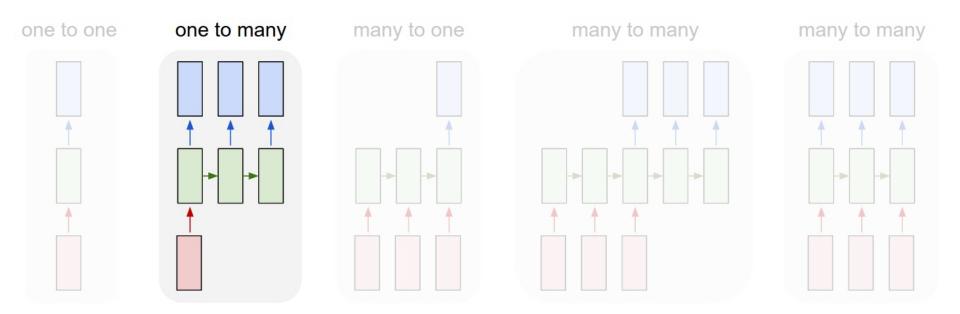
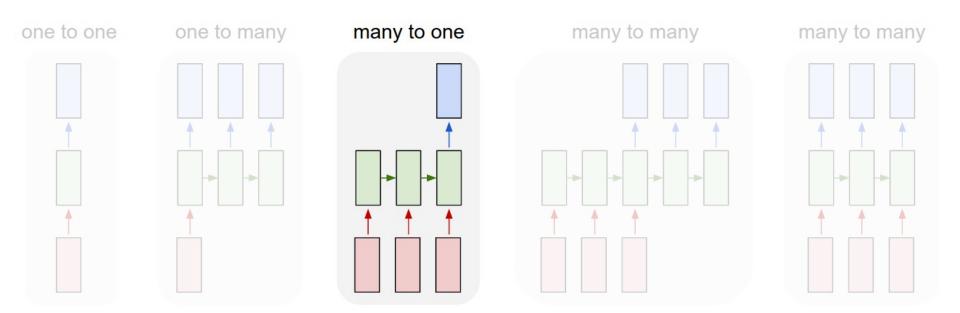
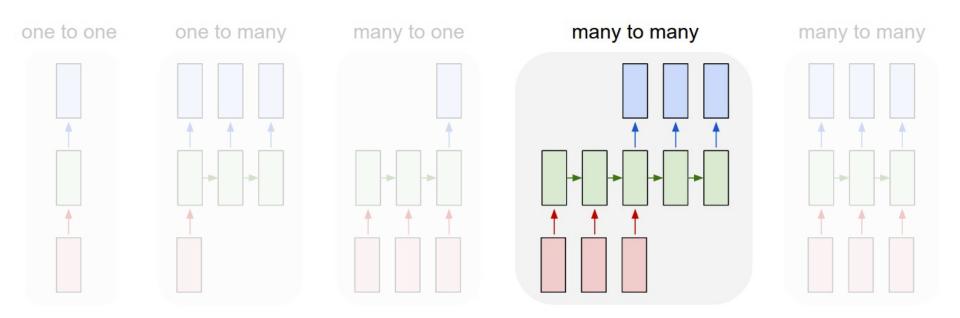


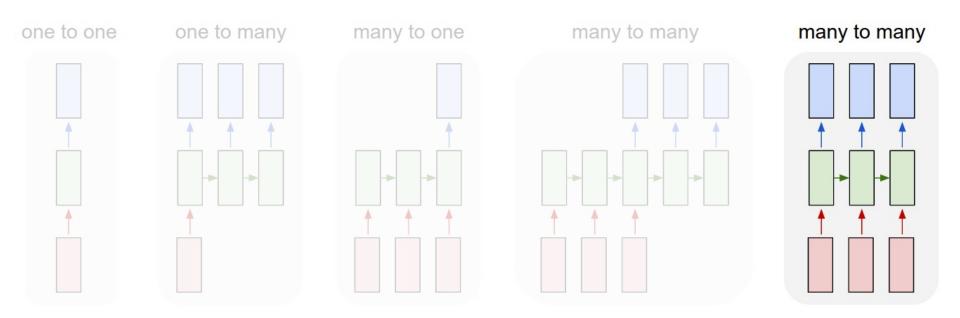
Image captioning



Language recognition

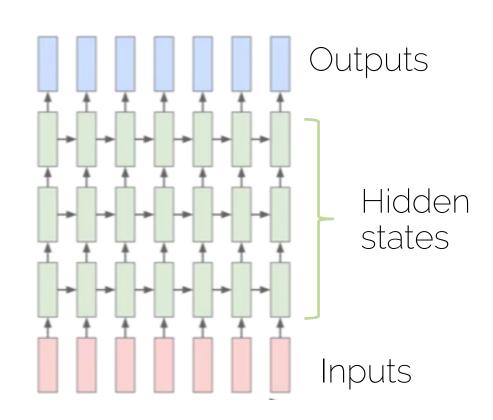


Machine translation

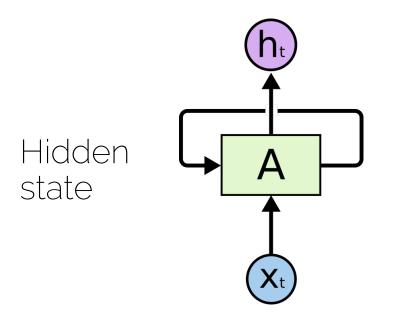


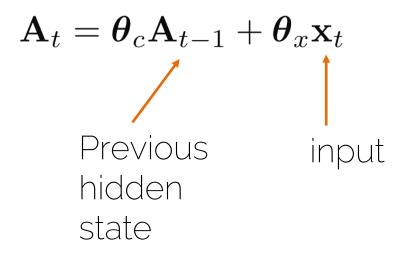
Event classification

Multi-layer RNN

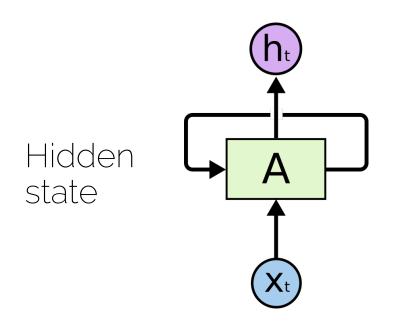


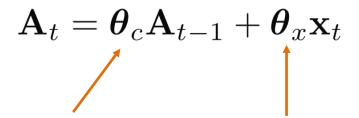
We want to have notion of "time" or "sequence"





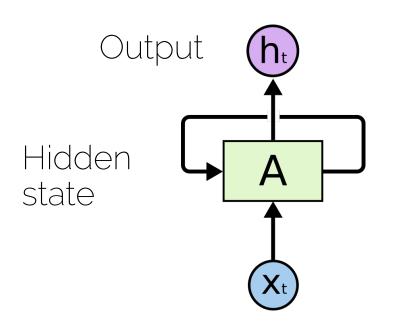
We want to have notion of "time" or "sequence"





Parameters to be learned

We want to have notion of "time" or "sequence"

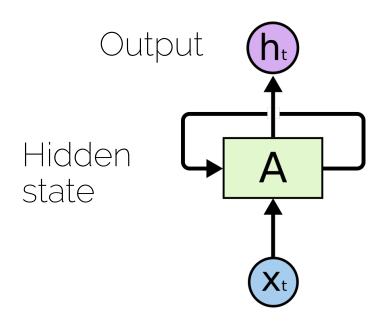


$$\mathbf{A}_t = \boldsymbol{\theta}_c \mathbf{A}_{t-1} + \boldsymbol{\theta}_x \mathbf{x}_t$$

$$\mathbf{h}_t = \boldsymbol{\theta}_h \mathbf{A}_t$$

Note: non-linearities ignored for now

We want to have notion of "time" or "sequence"

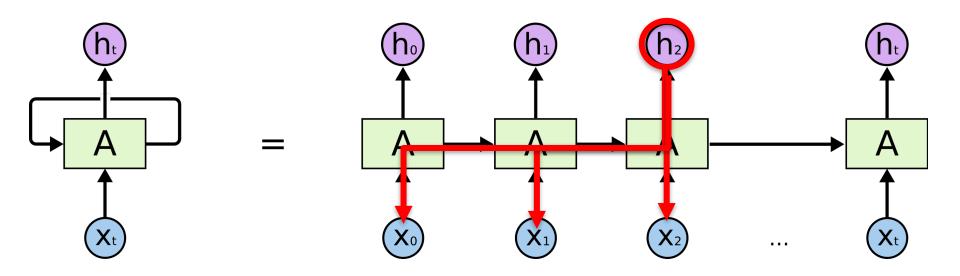


$$\mathbf{A}_t = \mathbf{\theta}_c \mathbf{A}_{t-1} + \mathbf{\theta}_x \mathbf{x}_t$$

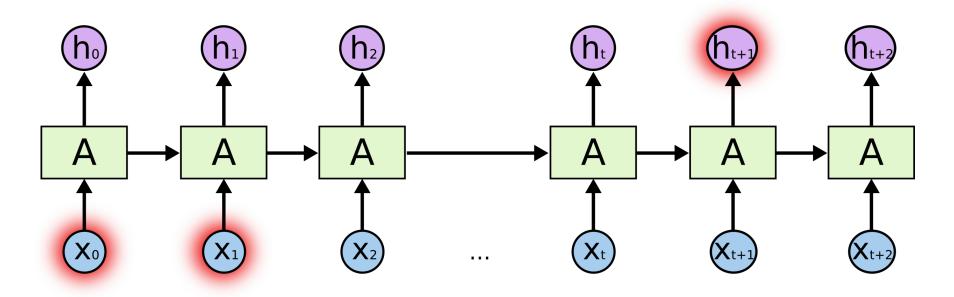
$$\mathbf{h}_t = \boldsymbol{\theta}_h \mathbf{A}_t$$

Same parameters for each time step = generalization!

Unrolling RNNs



Long-term dependencies



I moved to Germany ...

so I speak German fluently

Long-term dependencies

- Simple recurrence $\mathbf{A}_t = oldsymbol{ heta}_c \mathbf{A}_{t-1} + oldsymbol{ heta}_x \mathbf{x}_t$
- Let us forget the input $\mathbf{A}_t = oldsymbol{ heta}^t \mathbf{A}_0$
- If $oldsymbol{ heta}$ admits eigendecomposition $oldsymbol{ heta} = \mathbf{Q} \Lambda \mathbf{Q}^\intercal$
- ullet Orthogonal $oldsymbol{ heta}$ allows us to simplify the recurrence

$$\mathbf{A}_t = \mathbf{Q} \Lambda^t \mathbf{Q}^\intercal \mathbf{A}_0$$

Long-term dependencies

• Simple recurrence $\mathbf{A}_t = \mathbf{Q} \Lambda^t \mathbf{Q}^\intercal \mathbf{A}_0$

What happens to eigenvalues with magnitude less than one?

Vanishing gradient

What happens to eigenvalues with magnitude larger than one?

Exploding gradient

A simple solution

Let us just make it 1

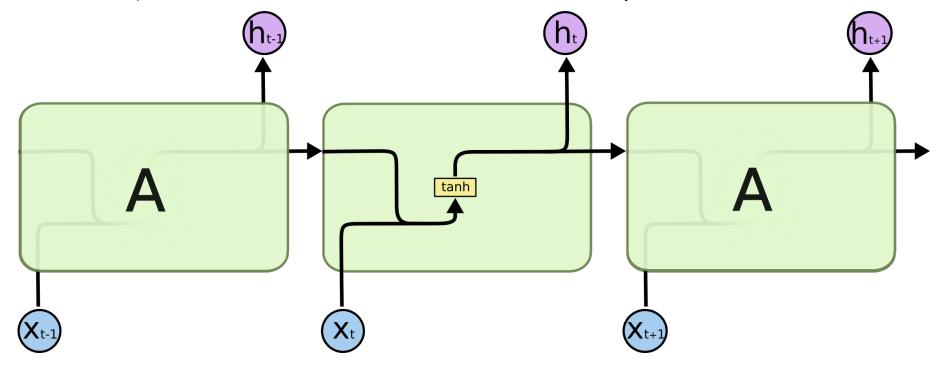
$$\mathbf{A}_t = \boldsymbol{\theta}_c \mathbf{A}_{t-1} + \boldsymbol{\theta}_x \mathbf{x}_t$$

• The previous step will always has a "positive" impact on the current step. What if we want to forget some information?

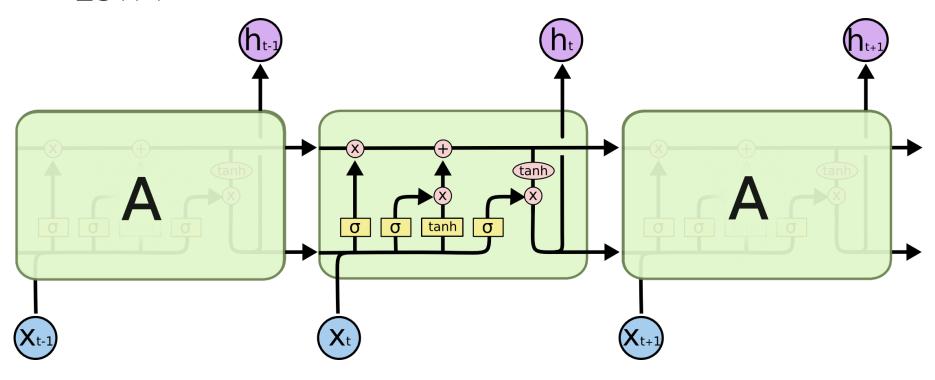


Long Short Term Memory

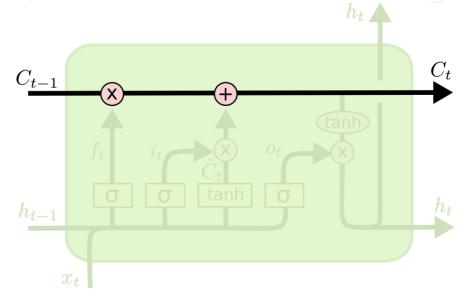
Simple RNN has tanh as non-linearity



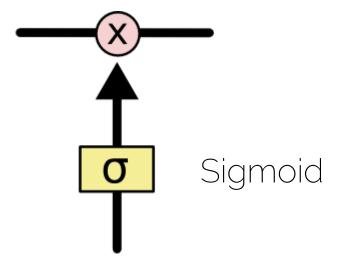
LSTM



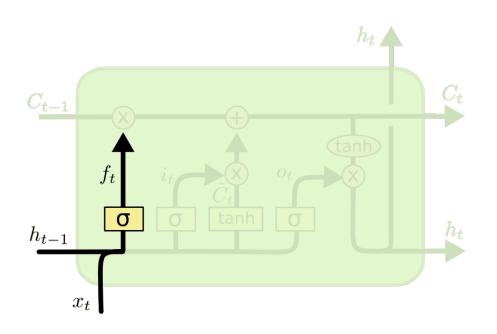
- Key ingredients
- Cell = transports the information through the unit



- Key ingredients
- Cell = transports the information through the unit
- Gate = remove or add information to the cell state



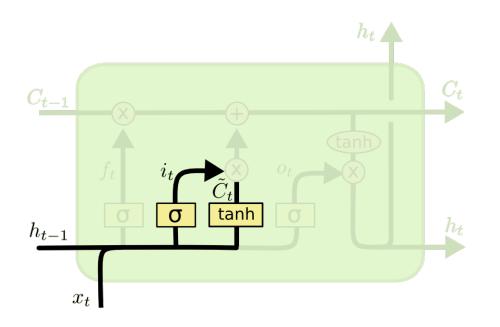
Forget gate



Decides when to erase the cell state

Sigmoid = output between 0 (forget) and 1 (keep)

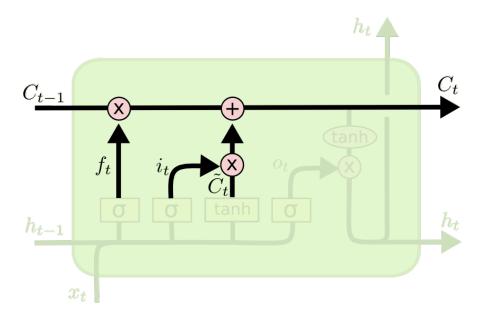
Input gate



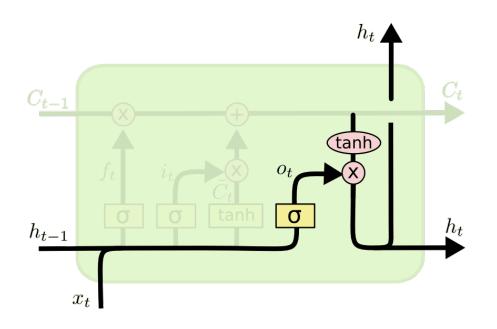
Decides which values will be updated

New cell state, output from a tanh (-1,1)

• Element-wise operations



Output gate

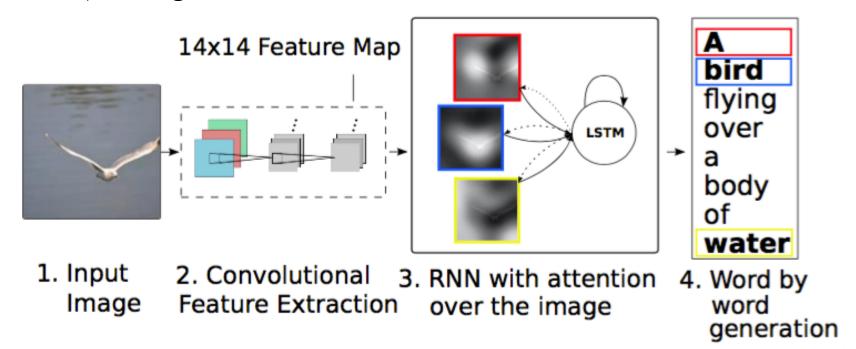


Decides which values will be outputted

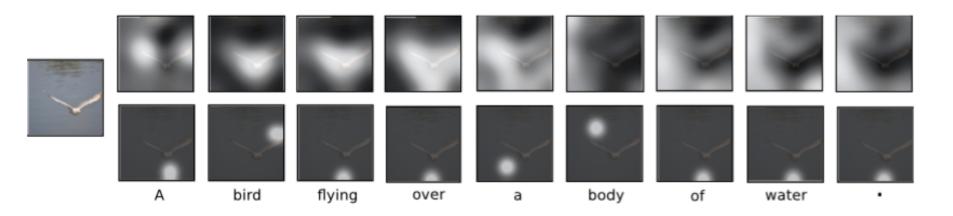
Output from a tanh (-1,1)

- Forget gate $\mathbf{f}_t = Sigm(\boldsymbol{\theta}_{xf}\mathbf{x}_t + \boldsymbol{\theta}_{hf}\mathbf{h}_{t-1} + \mathbf{b}_f)$
- Input gate $\mathbf{i}_t = Sigm(\boldsymbol{\theta}_{xi}\mathbf{x}_t + \boldsymbol{\theta}_{hi}\mathbf{h}_{t-1} + \mathbf{b}_i)$
- Output gate $\mathbf{o}_t = Sigm(\boldsymbol{\theta}_{xo}\mathbf{x}_t + \boldsymbol{\theta}_{ho}\mathbf{h}_{t-1} + \mathbf{b}_o)$
- Cell update $\mathbf{g}_t = Tanh(\boldsymbol{\theta}_{xg}\mathbf{x}_t + \boldsymbol{\theta}_{hg}\mathbf{h}_{t-1} + \mathbf{b}_g)$
- Cell $\mathbf{C}_t = \mathbf{f}_t \odot \mathbf{C}_{t-1} + \mathbf{i}_t \odot \mathbf{g}_t$
- Output $\mathbf{h}_t = \mathbf{o}_t \odot Tanh(\mathbf{C}_t)$

Caption generation



Caption generation



Focus is shifted to different parts of the image

Instance segmentation

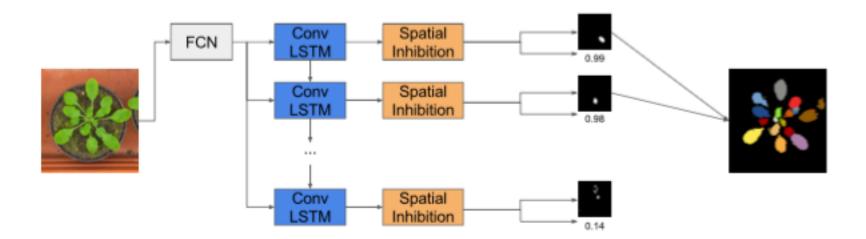
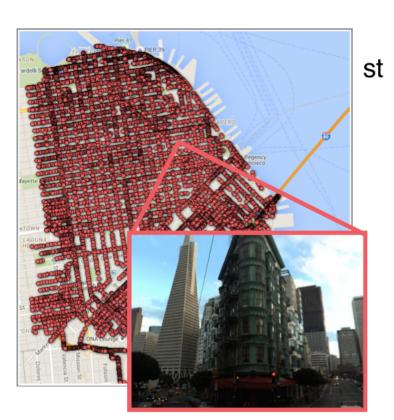


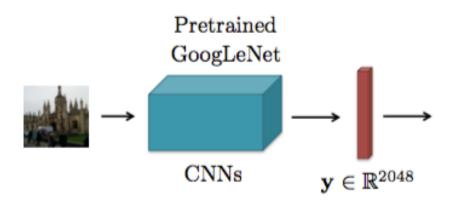
Image localization

Мар



Photo

Image localization



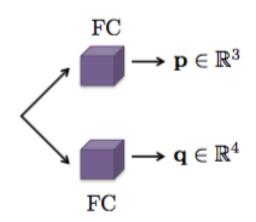
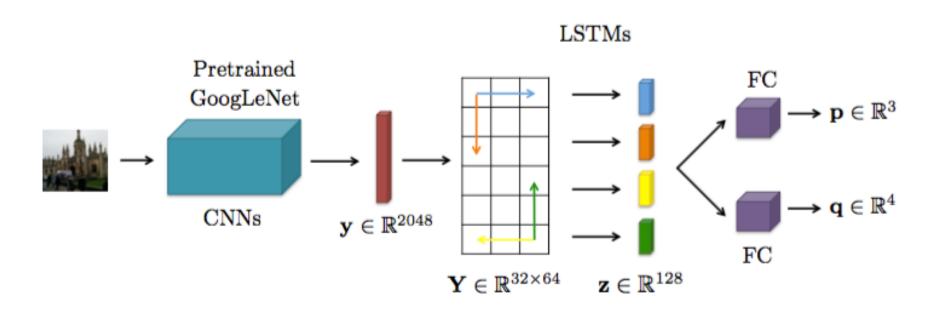


Image localization



Administrative Things

This was the last formal lecture!

 Next week: cool stuff we do at TUM with Deep Learning!

• In two weeks: special lecture by nVidia Autonomous Driving Team here in Munich!