Seminar: Recent Advances in 3D Computer Vision

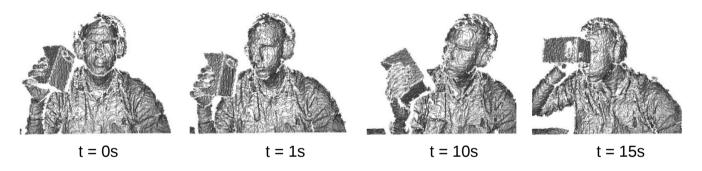
# **DynamicFusion:** Reconstruction and Tracking of non-rigid Scenes in Real-Time

Newcombe et al. 2015, CVPR

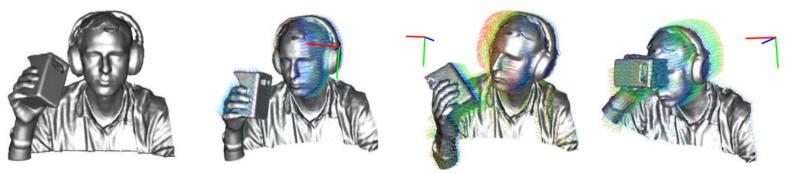
Presented by Rebecca Richter

### **Basic Idea**

Input: online stream of noisy depth maps from one RGB-D camera



#### Output: Real-time dense reconstruction of the moving scene



Canonical Model

- $\rightarrow$  Fuse all depth maps into one canonical frame to get a dense reconstruction
- $\rightarrow$  With every time step this reconstruction gets better

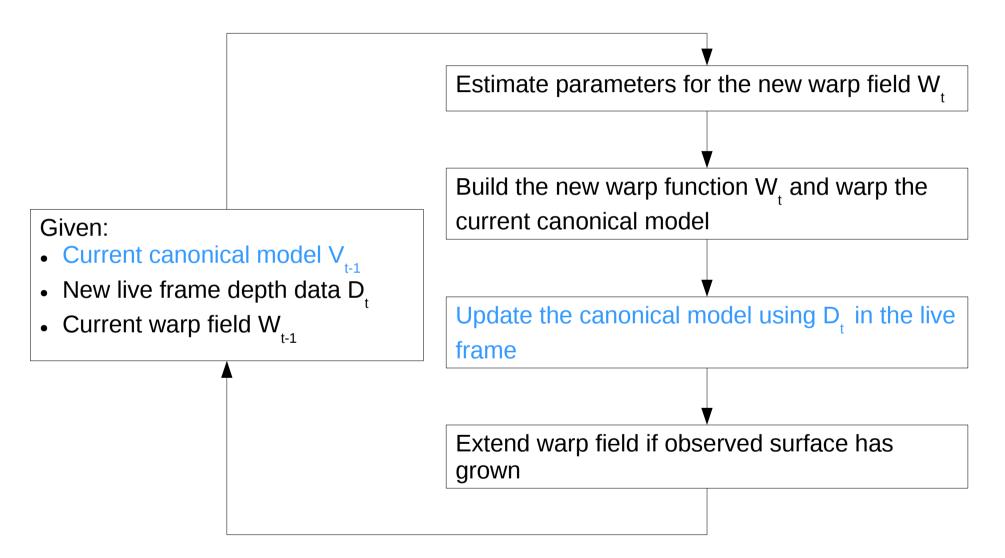
# Outline

### 1) Method description

### 2) Introduction

- Algorithm Overview
- Canonical Model
- Warp field
- Estimation of warp field parameters
- 3) Experiments and results
- 4) Summary

### **Algorithm Overview**



## **Canonical Model**

• Model safed as truncated signed distance function V:  $S \rightarrow \mathbb{R}^2$ 

$$V(x) \rightarrow [v(x) \in \mathbb{R}, w(x) \in \mathbb{R}]$$

• Updating the canonical model



Warped canonical points Values from new depth map D<sub>t</sub>

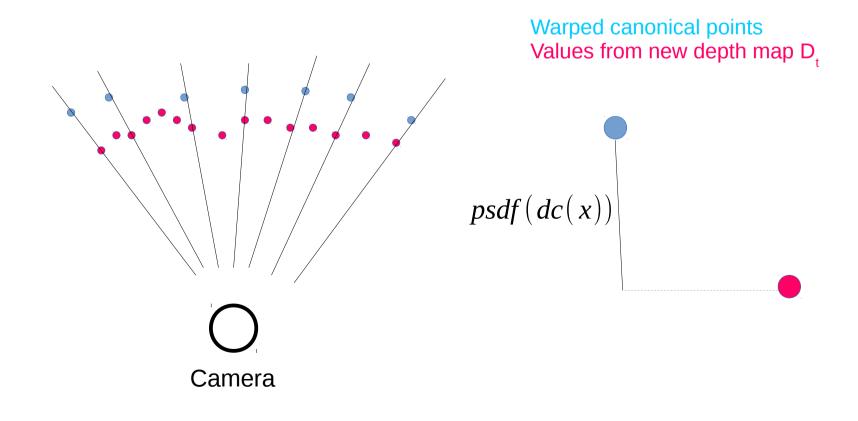


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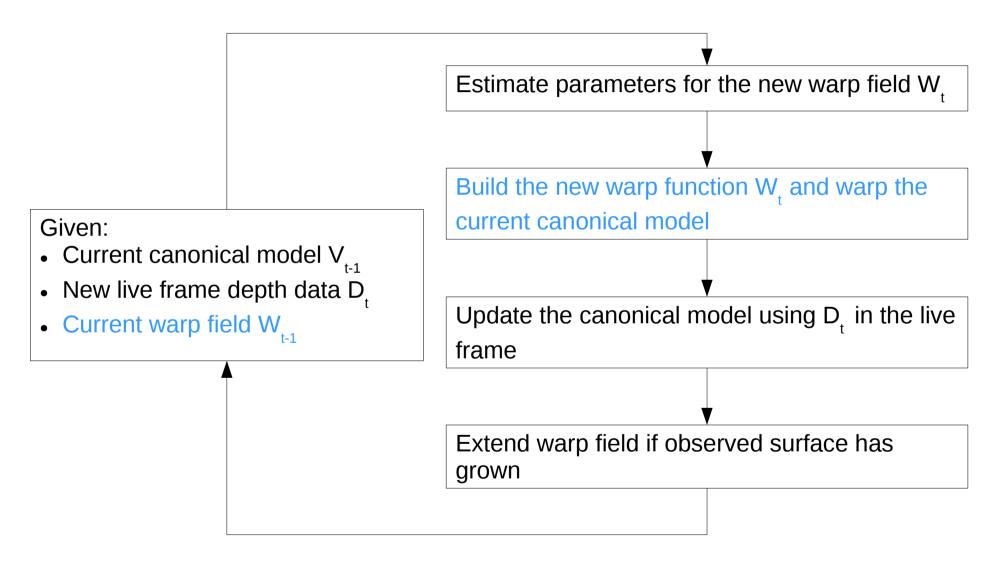
$$\mathcal{V}(\mathbf{x})_t = \begin{cases} [\mathbf{v}'(\mathbf{x}), \mathbf{w}'(\mathbf{x})]^\top, & \text{if } \mathbf{psdf}(\mathbf{dc}(\mathbf{x})) > -\tau \\ \mathcal{V}(\mathbf{x})_{t-1}, & \text{otherwise} \end{cases}$$

$$v'(x) = \frac{v(x)_{(t-1)}w(x)_{(t-1)} + \min(psdf(dc(x)), \tau)}{w(x)_{(t-1)} + w(x)}$$

$$w'(x) = min(w(x)_{(t-1)} + w(x), w_{(max)})$$

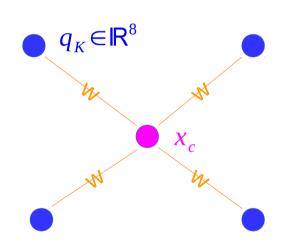
 $\rightarrow$  use weighted average of all measured depths for this point  $\rightarrow$  w(x) represents probability that the associated depth value is really observed at that point

# **Algorithm Overview**



# Warp Field

- Estimated parameters for rigid transformations of all deformation nodes
- Define dense non-rigid volumetric warp field for all other voxels through interpolation



Sparse set of k-nearest deformation nodes (N(x)) with already computed rigid local transformations

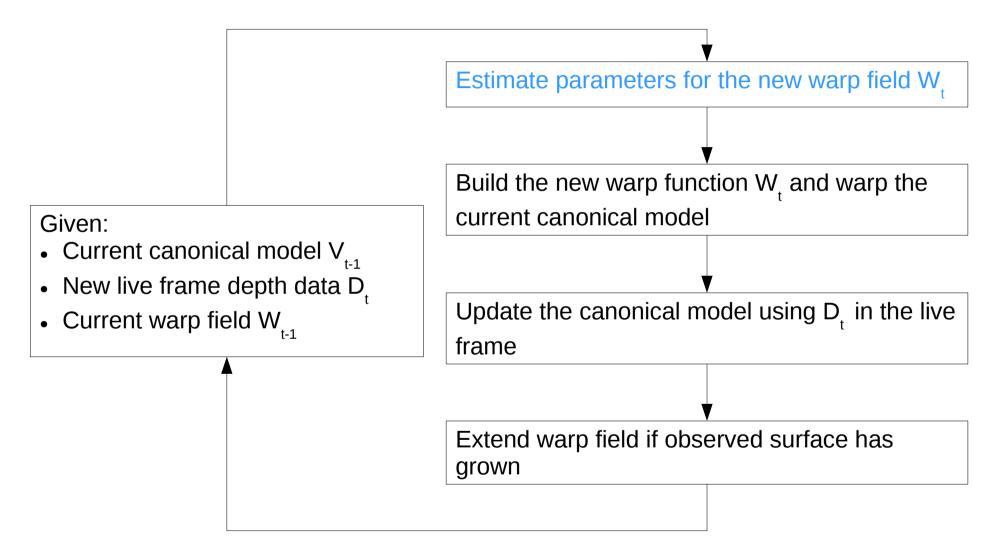
Voxel center from canonical frame where we want to estimate the transformation

Weight value computed from position distance and radial basis weight of deformation node

• Dense non-rigid Warp Field:

$$W_t(x_c) = T_{global} * SE 3 \left( \frac{\sum_{k \in N(x_c)} w_k(x_c) q_k}{\|\sum_{k \in N(x_c)} w_k(x_c) q_k\|} \right)$$

# **Algorithm Overview**



### **Estimate Warp Field parameters**

- Given: new live depth values, current canonical model, edge set  $\epsilon$
- Looking for: transformation of the deformation nodes

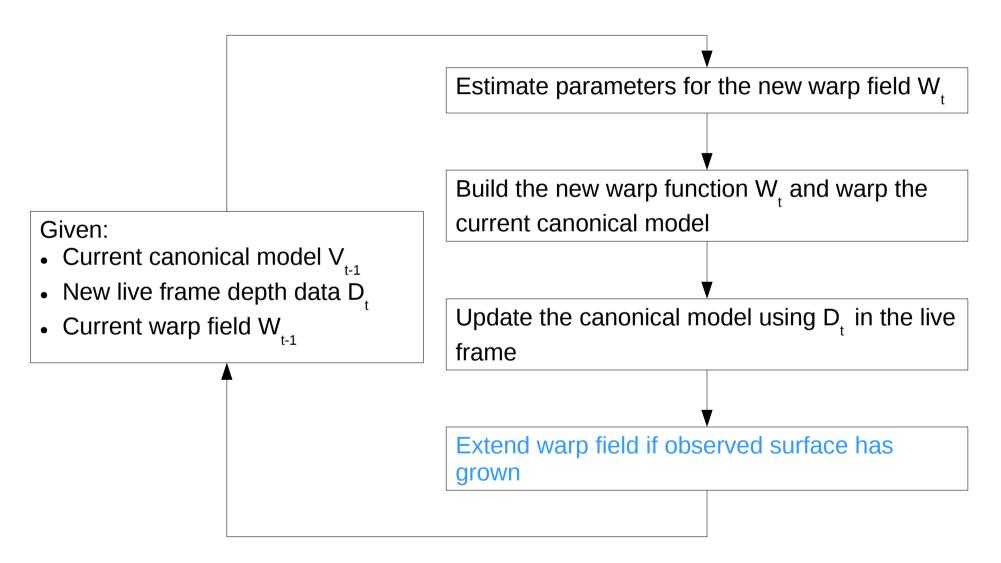
How good does the current warp match the life frame?

$$\min E(W_t, V, D_t, \epsilon) = Data(W_t, V, D_t) + \lambda Reg(W_t, \epsilon)$$

How big is the transformation difference between neighbored nodes? → model should deform in a smooth way

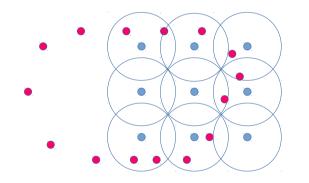
 $\rightarrow$  Use non-linear Gauss-Newton optimization to minimize energy function

# **Algorithm Overview**



# **Extending the Warp Field**

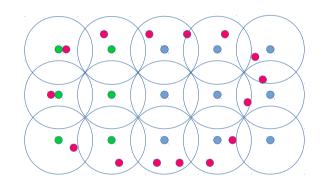
Surface Estimate of the updated canonical frame Current deformation nodes with their radius of influence



1)Check for each surface point if its covered by a deformation node

# **Extending the Warp Field**

#### Surface Estimate of the updated canonical frame Current deformation nodes with their radius of influence



- 1)Check for each surface point if its covered by a deformation node
- 2)Subsample the unsupported area with new deformation nodes
- 3)Initialize the transformation of the new nodes using the interpolation scheme used for warp field

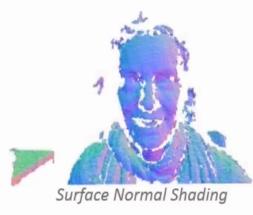
4) Update the edge set

### **Experiments and Results**

### Abilities:

 Tracking across motion during reconstruction

### *Dynamic* Fusion takes as input a live depth stream:



**Live Input Depth Map** Kinect/xtion/primesense commodity depth camera



Live RGB Image (unused)

### by $P^{\text{CyberLink}}_{OWerDirector}$

### **Experiments and Results**

### Abilities:

- Tracking across motion during reconstruction
- Fill in initially occluded parts of the scene



Live Input Depth Map



Live Model Output



Live RGB Image (unused)



Canonical Model Reconstruction



### **Experiments and Results**

### Abilities:

- Tracking across motion during reconstruction
- Fill in initially occluded parts of the scene
- Generate consistent geometry despite loop closures

### "Dieter"

by PowerDirector

### **Experiments and Results**

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- Tracking across motion during reconstruction
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- Generate consistent
  geometry despite loop
  closures
- Movements from open to closed topology



Live Input Depth Map



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Canonical Model Reconstruction



### **Experiments and Results**

### Abilities:

- Tracking across motion during reconstruction
- Fill in initially occluded parts of the scene
- Generate consistent geometry despite loop closures
- Movements from open to closed topology

Limitations:

- Large inter-frame movements
- Large deformations of occluded regions
- Movements from closed to open topology
- Growing warp field makes it hard to predict motion of occluded parts

# Summary

### **Dynamic Fusion:**

- Uses an online stream of depth images from one RGB-D Camera to reconstruct a 3D model in real time
- Uses a warp field to handle moving scenes and fuse all maps into a canonical frame
- Saves reconstruction as a truncated signed distance function for each point
- Model can be extended, by adding new nodes to the model
- Results in dense reconstruction in canonical frame and increasing quality in life frame reconstruction

### Thank you for listening !

### **Dense Non-Rigid ICP Data-term**

- 1) Extract current surface of canonical frame and save it as point normal pairs
- 2) Transform these pairs into the new life frame using the current warp field estimate
- 3) Render parts of warped canonical surface that are currently visible in life frame using perspective projection
- 4) Compute for each point of the rendered canonical surface the model-to-frame point plane error

$$Data(W,V,D_t) = \sum_{u \in \Omega} \Psi_{data}(n^T(v-vl))$$

### Warp Field Regularisation

Sum transformation differences of all in the edge set pairwise connected nodes

$$Reg(W, \varepsilon) = \sum_{i=0}^{n} \sum_{j \in \varepsilon(i)} \alpha_{ij} \psi_{reg}(T_{locali} pos_{i} - T_{localj} pos_{i})$$

Edge set Weight associeted with the edge Huber penalty function

# **Regularisation Graph**

- Hierarchical Deformation Tree
- Construct hierarchy of regularization nodes from current deformation nodes
  - Level I = 0 all nodes from  $N_{warp}$
  - Level I = 1 all nodes that are in rage of  $\epsilon \beta^{l}$

- ....

• Build graph topology by adding edges from each node of the hierarchy to the knearest nodes in the next coarser level